

Galaxy Cluster Studies with Weak Lensing Magnification and Shear

Jes Ford

PhD Candidate

University of British Columbia

***Collaborators: Ludovic Van Waerbeke, Hendrik Hildebrandt,
Martha Milkeraitis, Clotilde Laigle, Christopher Morrison, & CFHTLenS***

Outline

- **Introduction to Weak Lensing Shear & Magnification**
 - **Magnification in COSMOS**
- **CFHTLenS Galaxy Cluster Catalogs (public)**
- **Cluster Magnification in CFHTLenS**
 - **Measurement & Modeling**
 - **Cluster Mass-Richness Scaling**
- **Cluster Shear in CFHTLenS**
 - **How does magnification compare with shear?**
- **Conclusions**

Introduction: Shear & Magnification

Gravitational Lensing

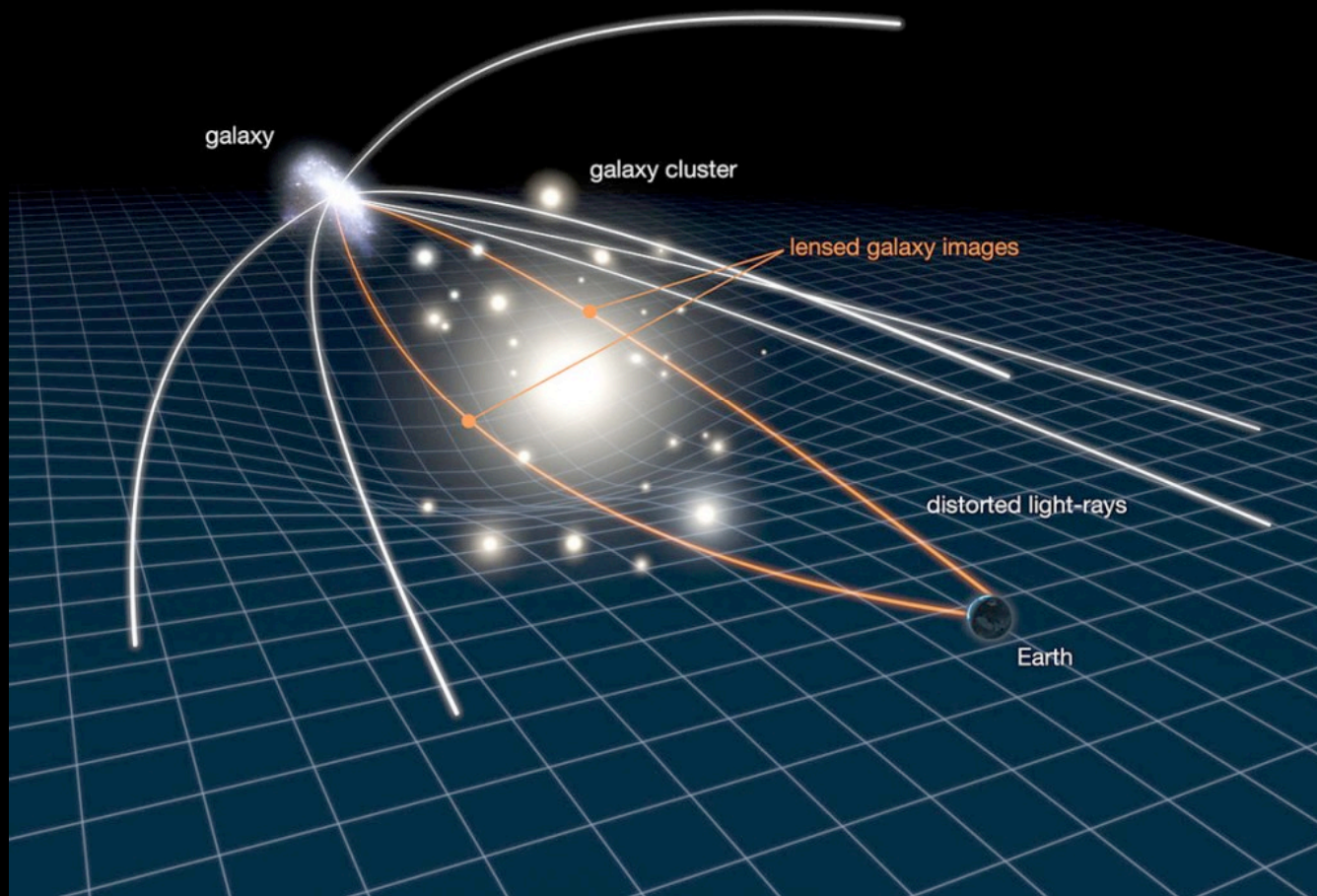


Image: NASA/ESA

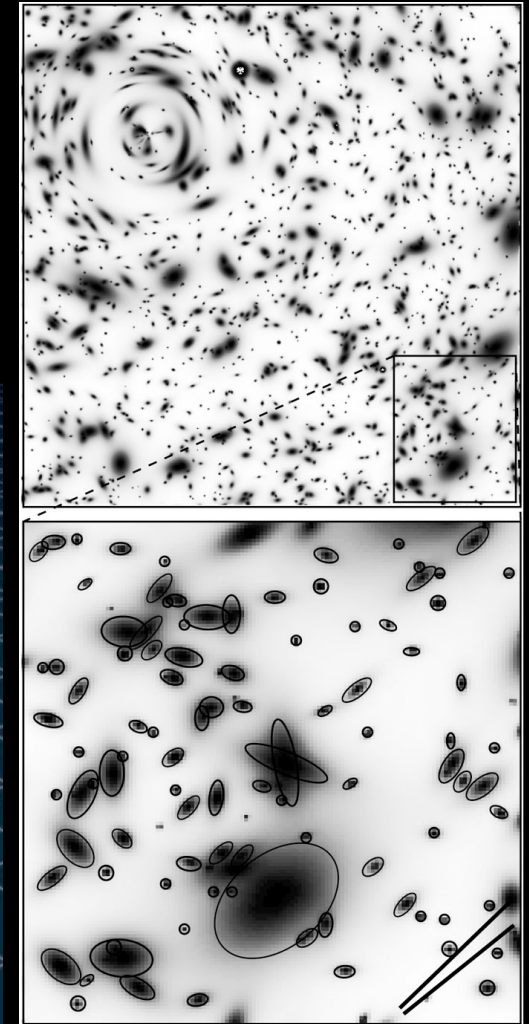
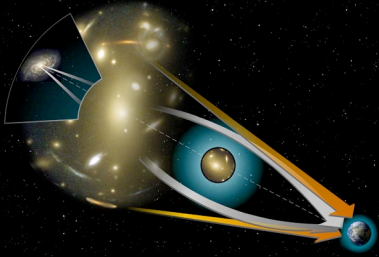


Image: Mellier (1999)



Weak Lensing

The 2 components of the Weak Lensing signal:

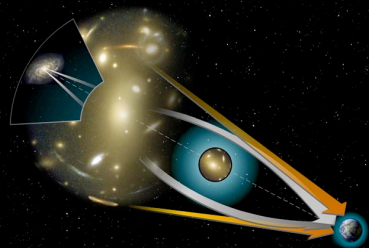
Shear (γ): *anisotropic* focusing of light rays
→ **shapes** get distorted



Convergence (κ): *isotropic* focusing of light rays
→ **size & brightness** change



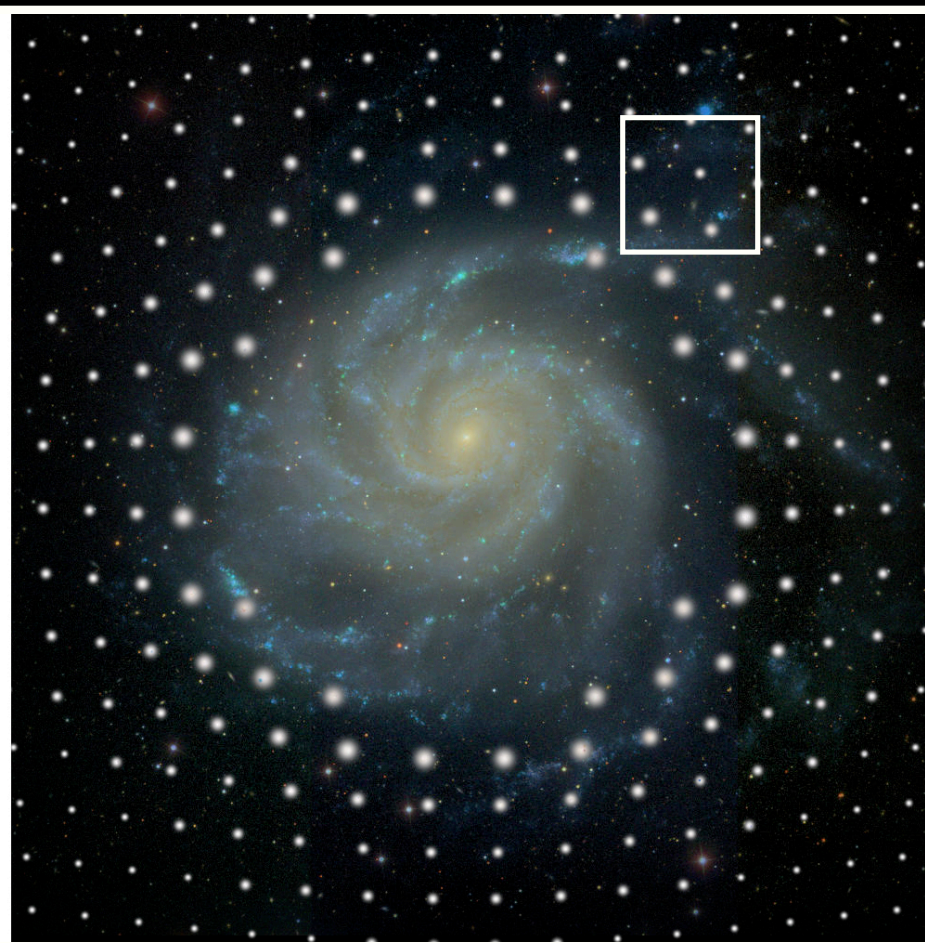
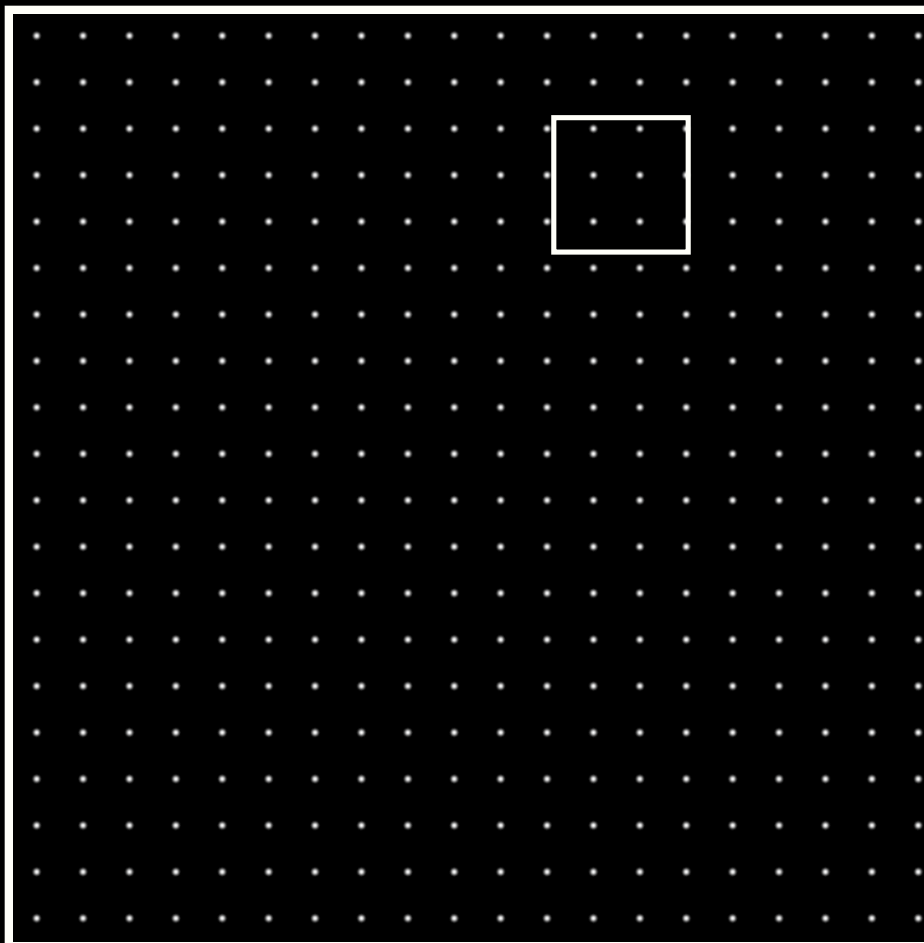
MAGNIFICATION



Dilution & Amplification

sky is stretched

sources get brighter



Lensing conserves surface brightness

Image: SDSS

Magnification with Number Counts

Number counts are altered:

$$n(m, \theta) dm = \mu^{\alpha(m)-1} n_o(m, \theta) dm$$

μ

depends on lens mass

$\alpha-1$

depends on source # counts

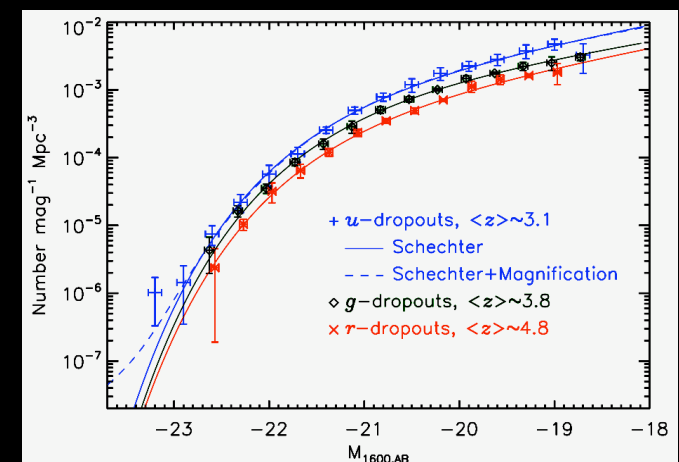
$n \rightarrow$ observed source #
 $n_o \rightarrow$ intrinsic source #
 $\theta \rightarrow$ angle on sky between
source and lens center

$$\alpha(m) \equiv 2.5 \frac{d}{dm} \log n_o(m)$$

$$\mu = \frac{1}{(1 - \kappa)^2 - |\gamma|^2}$$

Magnification μ :

gives lensing mass, assuming some
model (e.g. NFW)



van der Burg et al. 2010

Magnified Luminosity Function

We expect to observe more bright sources, and less faint sources, than we would in the absence of lensing.

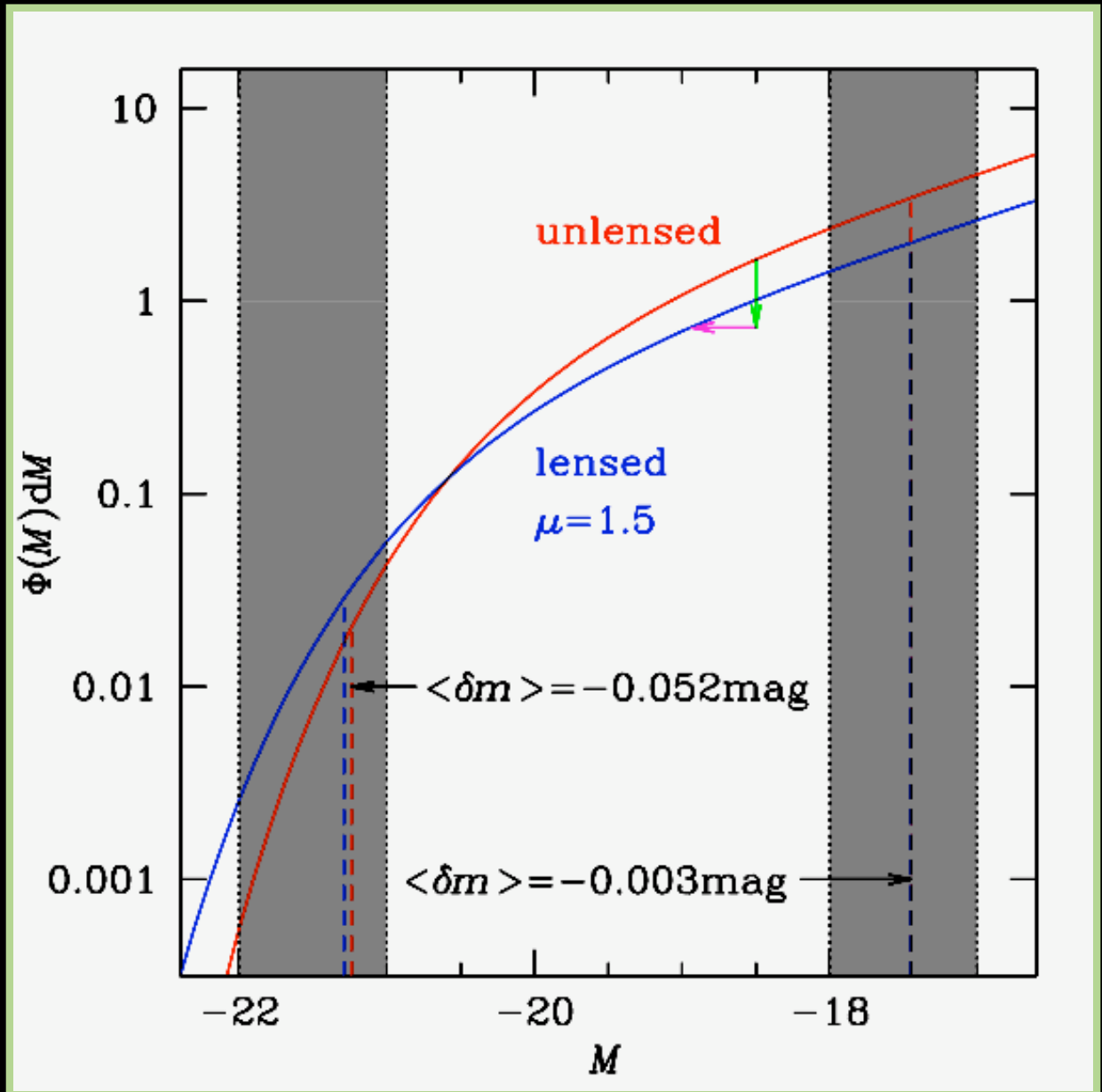
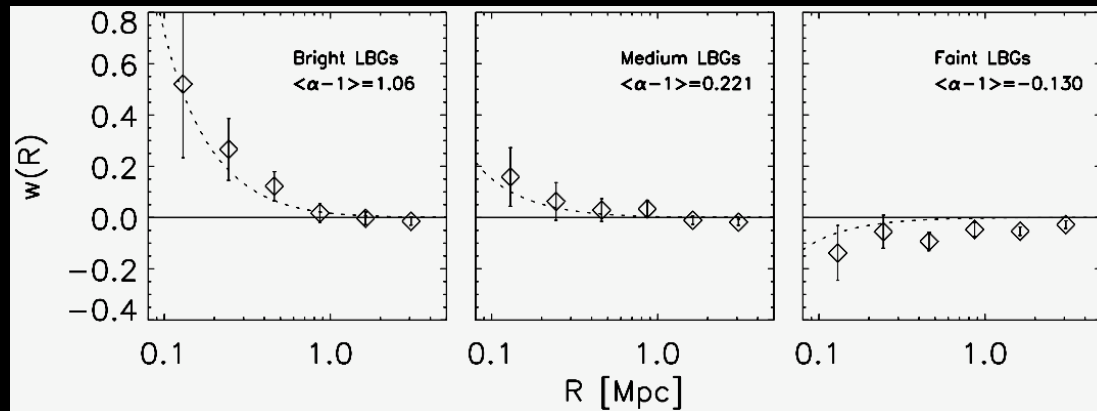



Figure: Hendrik Hildebrandt

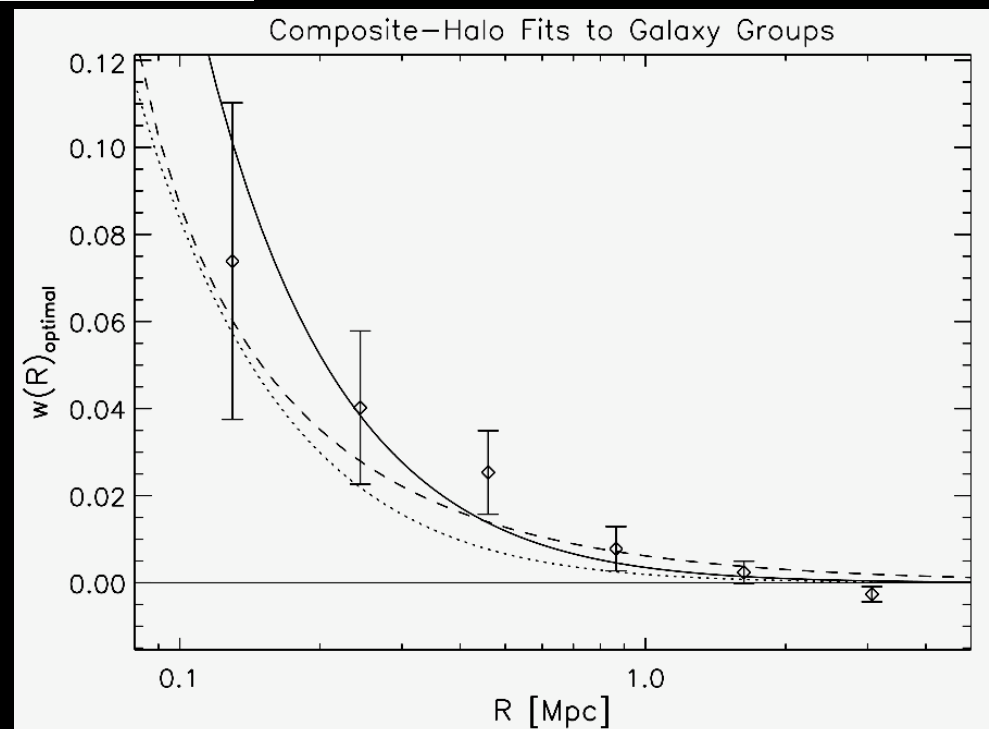
Magnification by Clusters



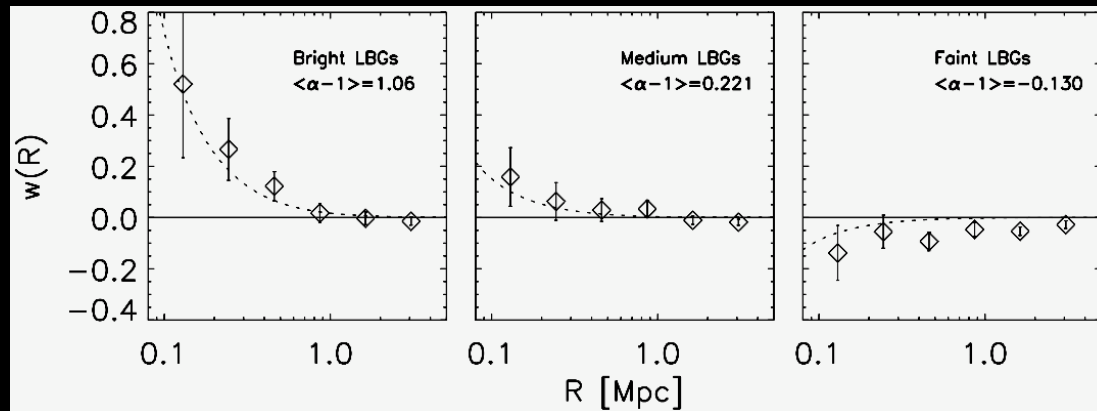
- **5σ in COSMOS**
- **44 X-ray-selected group lenses at $0.3 < z < 1$**
- **4500 Lyman-break galaxy sources at $3 < z < 5$**

Optimally-Weighted Cross-Correlation Function:  weight each source by its $(\alpha-1)$, to use the expectation from the source luminosity function (Menard et al. 2003)

Ford et al. 2012



Magnification by Clusters



- **5 σ in COSMOS**
- **44 X-ray-selected group lenses at $0.3 < z < 1$**
- **4500 Lyman-break galaxy sources at $3 < z < 5$**

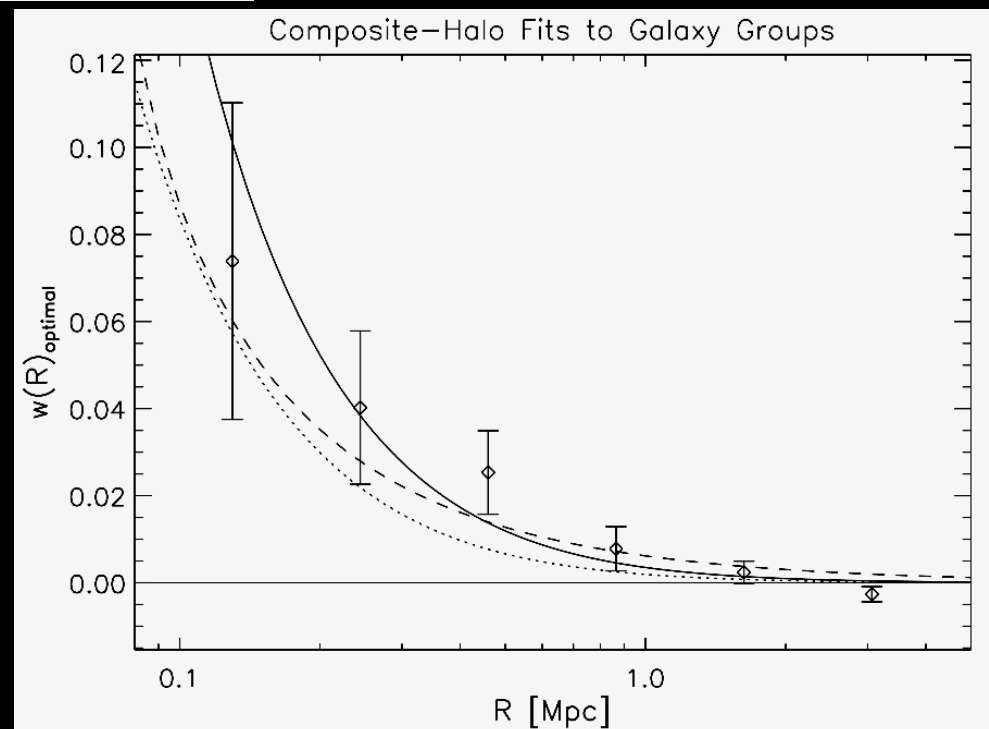
- **Composite - Halo Model: Fit a scaling relation to shear masses**

$$M_{\text{mag}} = a M_{\text{shear}}$$

- **Agreement with shear masses \checkmark**

MAGNIFICATION: 4.8 σ
vs. SHEAR: 11 σ

Ford et al. 2012



Shear vs Magnification

- For fixed sources, shear has higher S/N
- But measuring shapes is hard (especially high z & from ground)
- Magnification only requires source detection, so background source density can be much higher
- Shear & Magnification have completely different systematic biases
- Magnification breaks the mass-sheet-degeneracy

$$\gamma = \frac{\Delta\Sigma}{\Sigma_{crit}}$$

shear

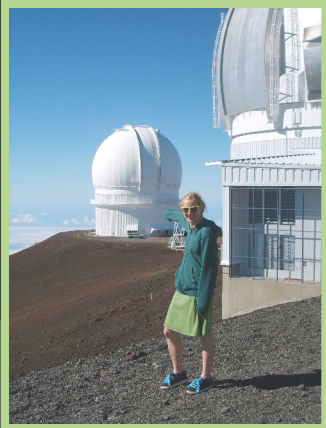
$$\kappa = \frac{\Sigma}{\Sigma_{crit}}$$

magnification

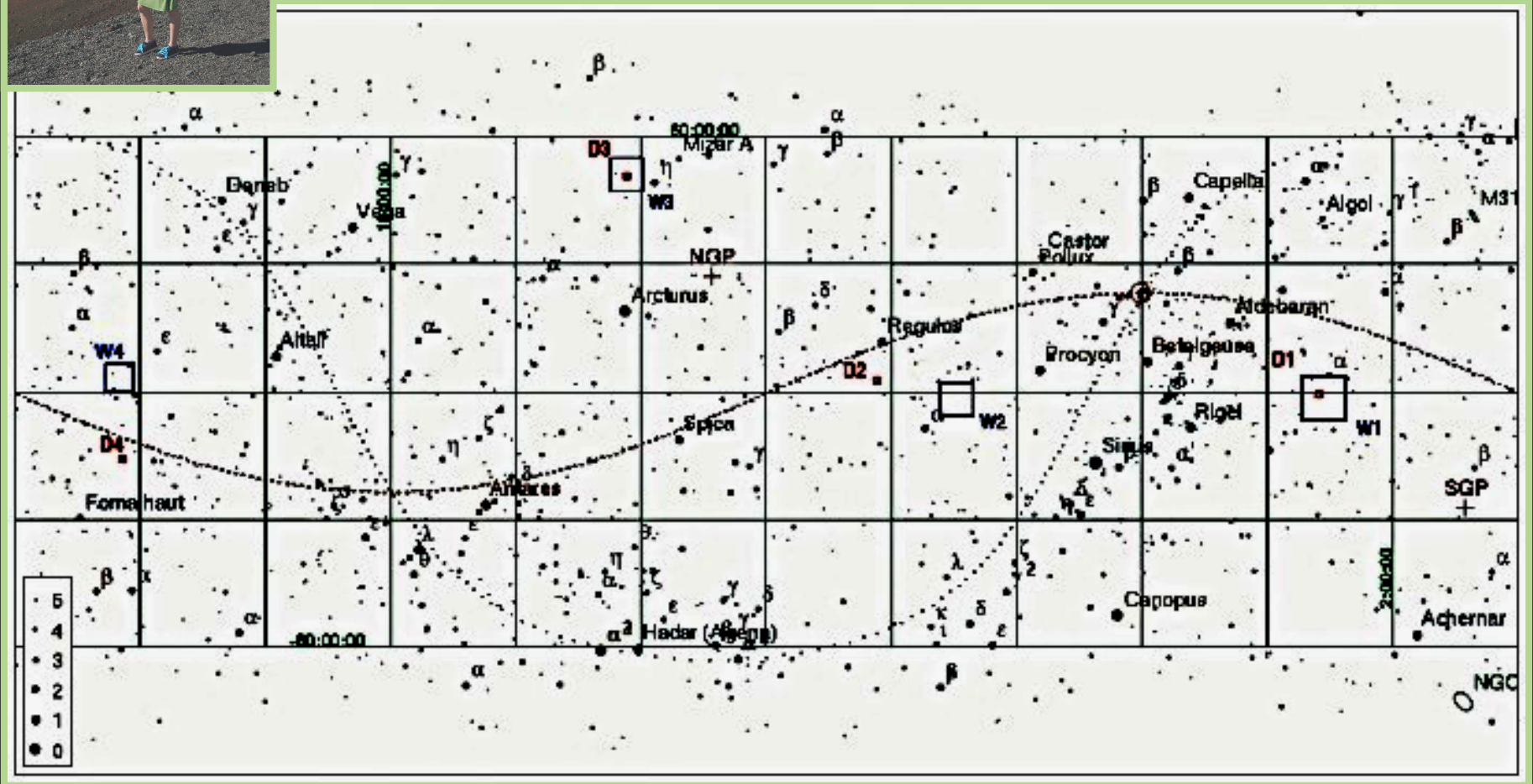
Magnification & Shear are *complementary*.

Both should be exploited to maximize what we can learn from our observations.

CFHTLenS Clusters



CFHTLenS

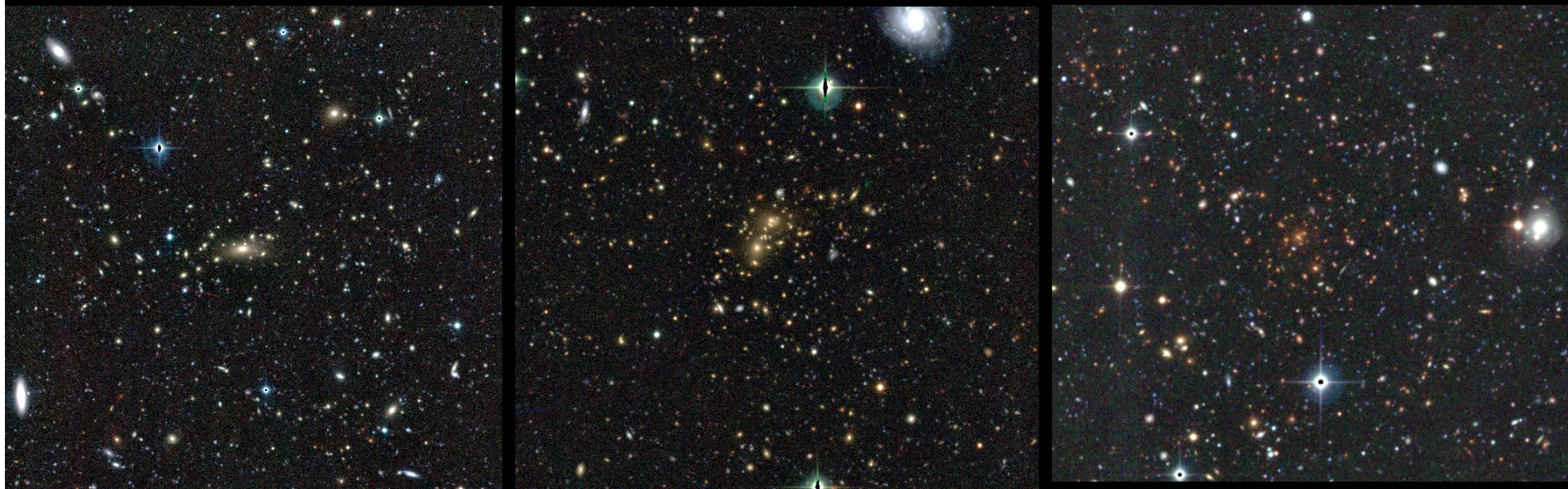


Canada-France-Hawaii Telescope Legacy Survey: 4 Wide fields $\sim 154 \text{ deg}^2$

3D-MF Galaxy Clusters

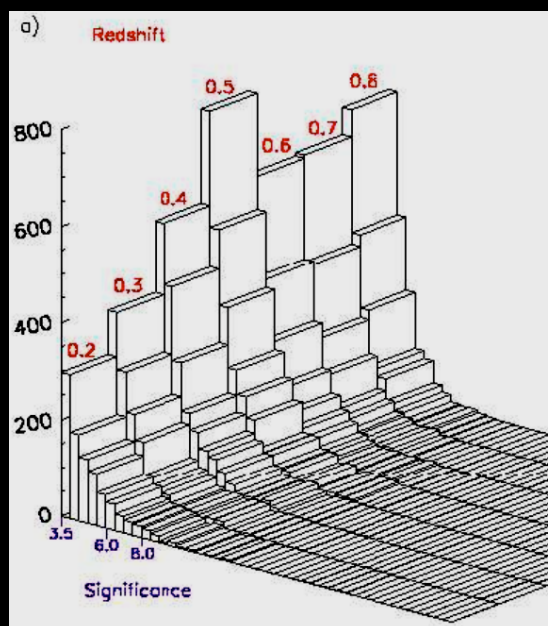
- **3D-Matched-Filter** Galaxy Cluster Finder (Milkeraitis et al. 2010)
- Searches for regions of sky matching expected luminosity profile & radial profile \Rightarrow **Likelihood maps of sky**
- **3D**: discrete redshift bins
- Cluster Candidates = Peaks in Likelihood maps
- $\sim 18,000$ galaxy clusters $0.2 < z < 1$

PUBLICLY AVAILABLE
CLUSTER CATALOG:
cfhtlens.org

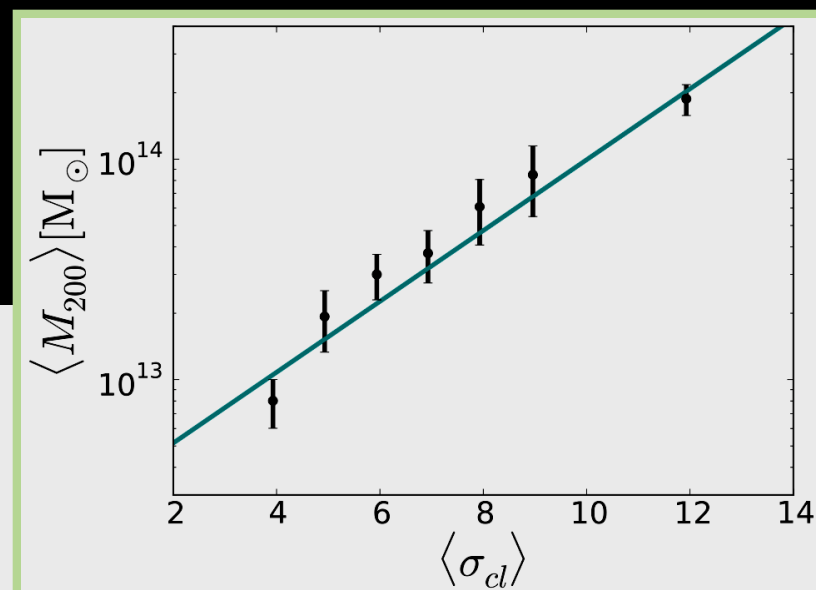
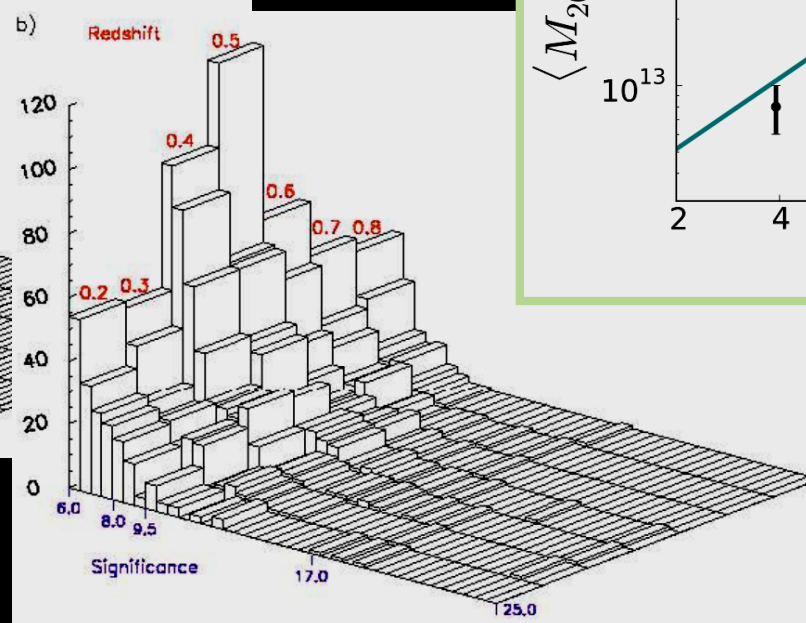


Cluster Lenses

- Significance of Likelihood Peak σ_{cl}



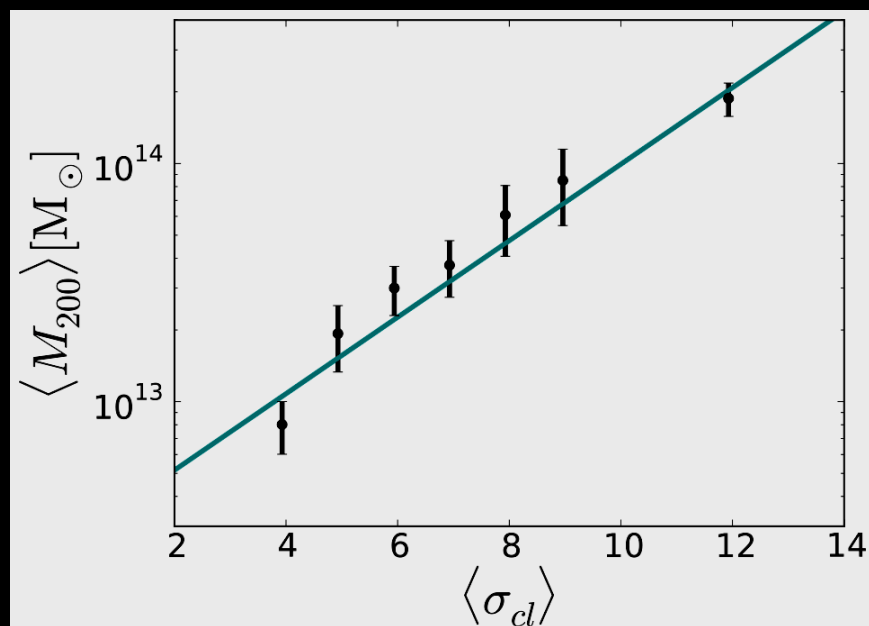
Credit: Martha Milkeraitis



Ford et al. 2014b

- Completeness:** 100% for $\geq 2.5 \times 10^{14} M_{\text{sun}}$, $> 86\%$ for $\geq 5 \times 10^{13} M_{\text{sun}}$
- False Detection Rate:** $< 1\%$ for $\geq 2.5 \times 10^{14} M_{\text{sun}}$, $< 15\%$ for $\geq 5 \times 10^{13} M_{\text{sun}}$

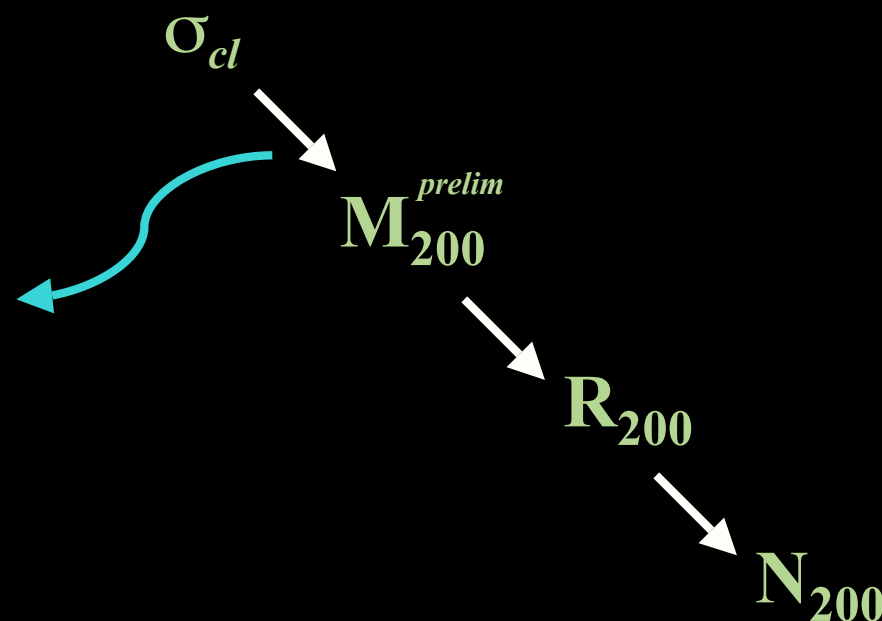
Richness N_{200}



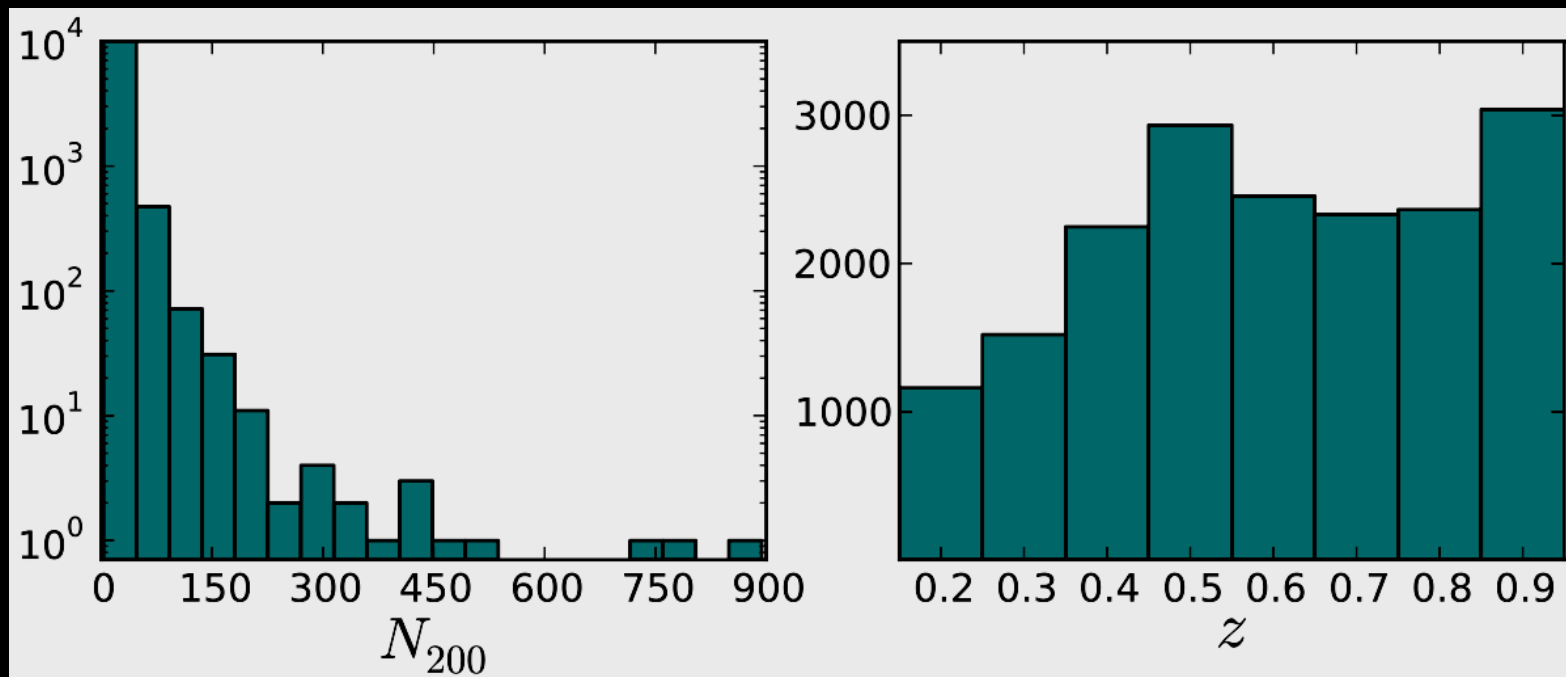
Ford et al. 2014b

N_{200} includes all galaxies...

- within R_{200} estimated from shear
- brighter than absolute i Magnitude -19.35
- within $\Delta z < 0.08 (1+z)$
- background density subtracted



Cluster Distributions



Ford et al. 2014b

Components of Modeling

Main Halo: NFW profile.

2-halo term:

Account for neighboring halos.

Cluster Miscentering:

the center chosen by any cluster-finder is probably not the “real” center.

Composite-Halo Fit:

Account for the wide range of cluster M_{200} and z instead of fitting a single average mass, redshift.

$$\rho_{NFW} = \frac{\delta_c \rho_{crit}(z)}{(r/r_s)(1 + r/r_s)^2}$$

Navarro, Frenk & White (1997)

NFW: 2 fit parameters (M_{200} & c_{200})

+

Mass-Concentration relation

↓

**Just M_{200} parameter
for each halo**

Components of Modeling

Main Halo: NFW profile.

2-halo term:

Account for neighboring halos.

Cluster Miscentering:

the center chosen by any cluster-finder is probably not the “real” center.

Composite-Halo Fit:

Account for the wide range of cluster M_{200} and z instead of fitting a single average mass, redshift.

- Dark matter is clustered
- Nearby halos contribute few % signal at large radii
- Depends on cosmology and cluster halo bias*

*We use Λ CDM and $b(M,z)$ from Seljak & Warren (2004)

Components of Modeling

Main Halo: NFW profile.

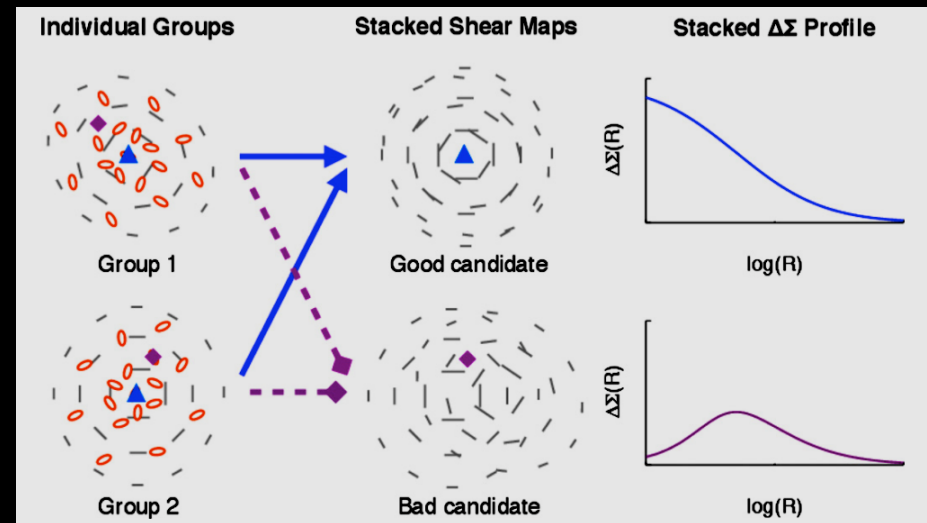
2-halo term:

Account for neighboring halos.

Cluster Miscentering:
the center chosen by any cluster-finder
is probably not the “real” center.

Composite-Halo Fit:

Account for the wide range of cluster
 M_{200} and z instead of fitting a single
average mass, redshift.



George et al. 2012

**Wrong centers will dilute the
signal on small scales.**

Components of Modeling

Main Halo: NFW profile.

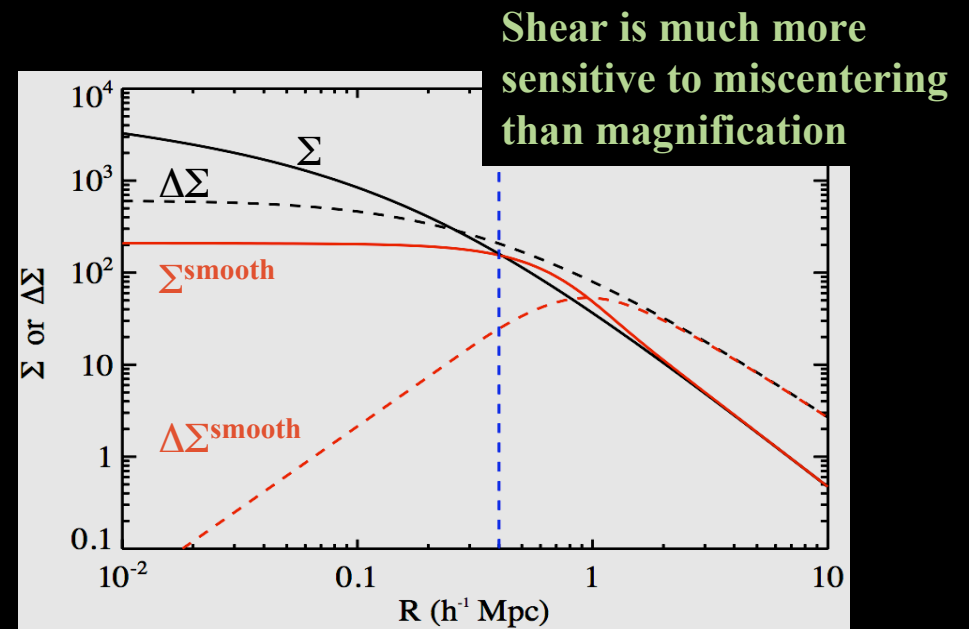
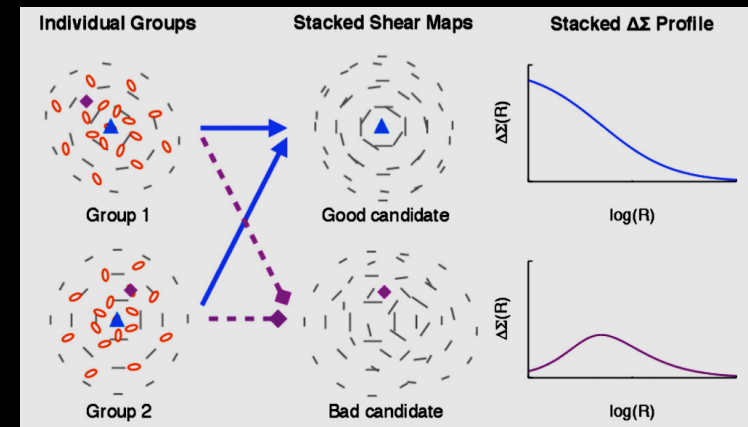
2-halo term:

Account for neighboring halos.

Cluster Miscentering:
the center chosen by any cluster-finder is probably not the “real” center.

Composite-Halo Fit:

Account for the wide range of cluster M_{200} and z instead of fitting a single average mass, redshift.



Johnston et al. 2007

Components of Modeling

Main Halo: NFW profile.

2-halo term:

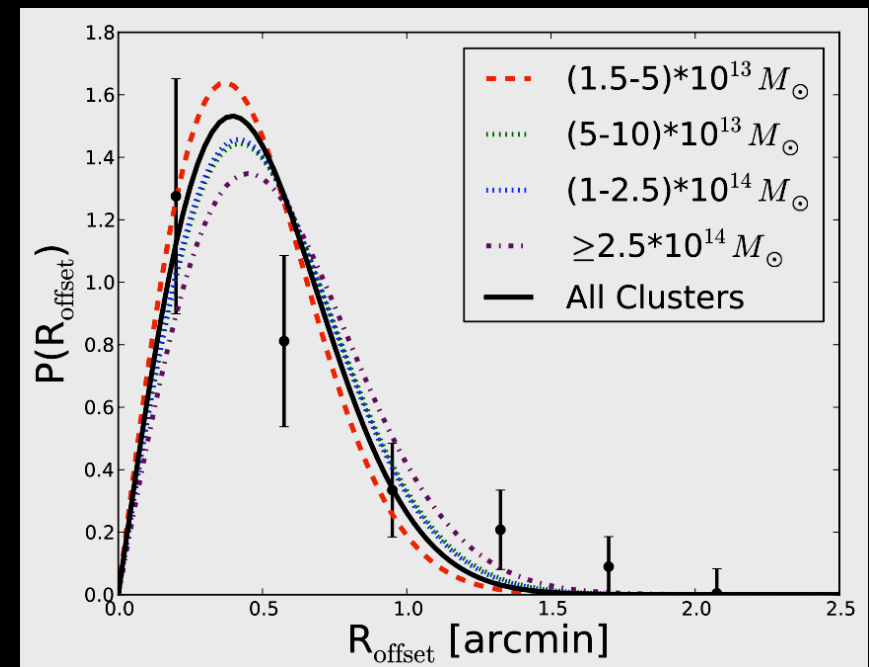
Account for neighboring halos.

Cluster Miscentering:
the center chosen by any cluster-finder
is probably not the “real” center.

Composite-Halo Fit:

Account for the wide range of cluster
 M_{200} and z instead of fitting a single
average mass, redshift.

Assume 3D-MF centers have a Gaussian
distribution about the “true” centers



Ford et al. 2014a

$$P(R_{off}) = \frac{R_{off}}{\sigma_{off}^2} e^{-\frac{1}{2} \left(\frac{R_{off}}{\sigma_{off}} \right)^2}$$

Data points measured
using mock catalogs of
Kitzbichler & White (2007)

Components of Modeling

Main Halo: NFW profile.

2-halo term:

Account for neighboring halos.

Cluster Miscentering:

the center chosen by any cluster-finder is probably not the “real” center.

Composite-Halo Fit:

Account for the wide range of cluster M_{200} and z instead of fitting a single average mass, redshift.

Mass-Richness scaling relation:

$$M_{200} = M_0 \left(\frac{N_{200}}{20} \right)^\beta$$

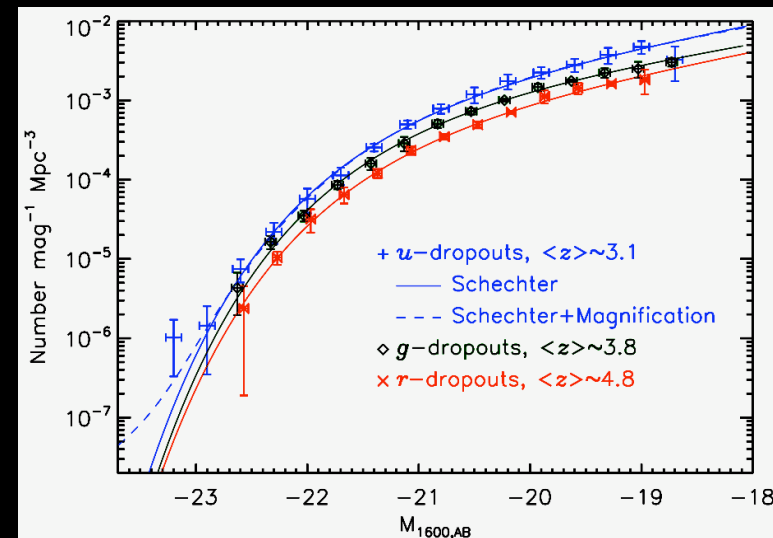
- Each measurement contains many stacked clusters
- Fit a scaling relation (M_0 & β)
- Convert N_{200} distribution to M_{200}
- Account for range of M_{200} & redshift

Cluster Magnification in CFHTLenS

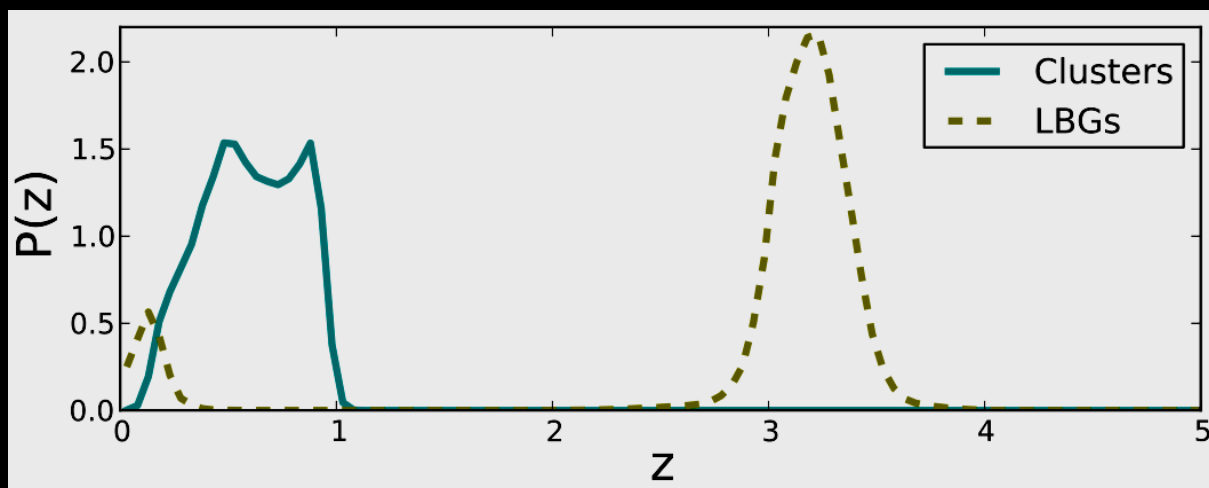
Sources

- Lyman-break galaxies (*u*-dropouts)
- ~ 120,000 LBGs
- we know Luminosity Functions,
optimal weight factor ($\alpha-1$)
- $z \sim 3$ (except for contamination...)

$$n(m, \theta) dm = \mu^{\alpha-1} n_o(m, \theta) dm$$



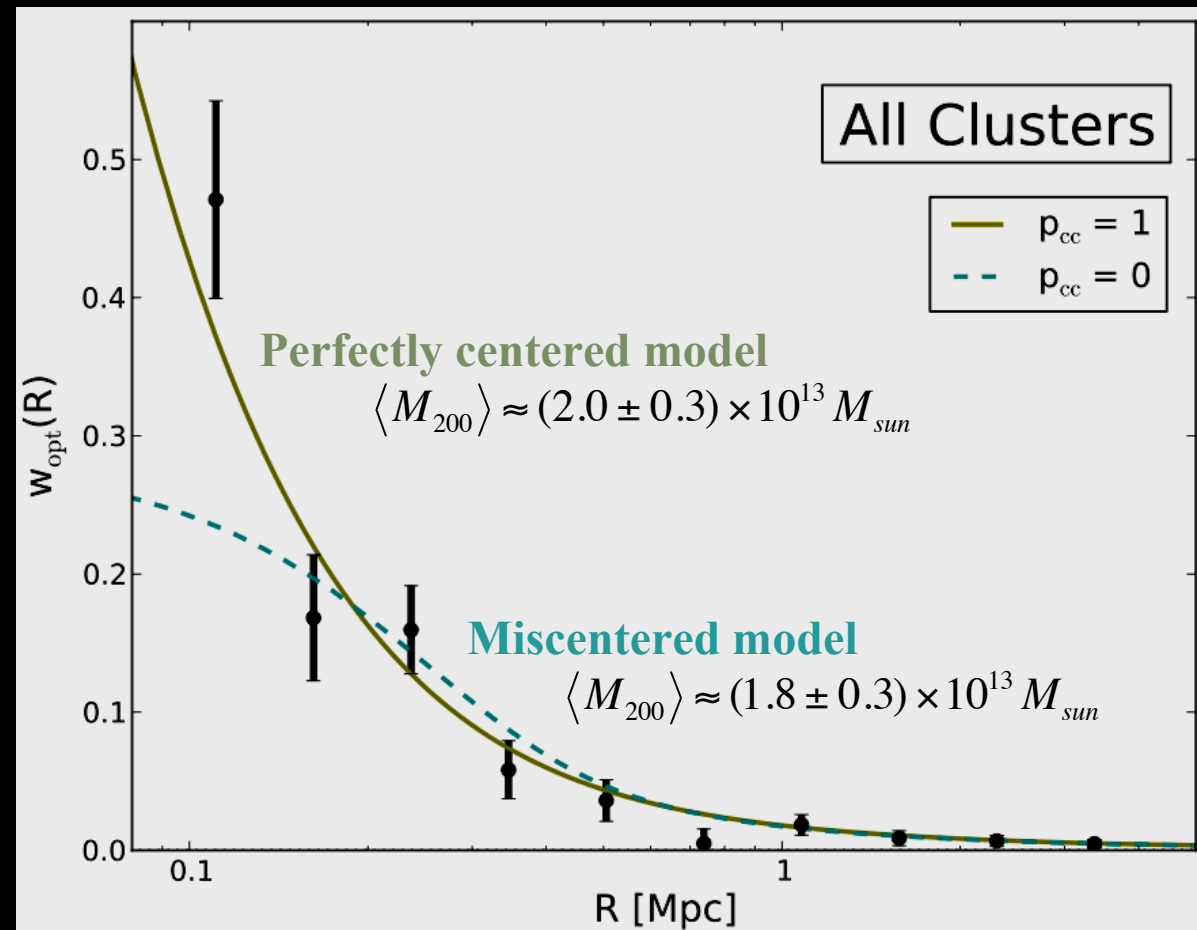
van der Burg et al. 2010



Ford et al. 2014a

All clusters stacked

9.7 σ
detection
significance



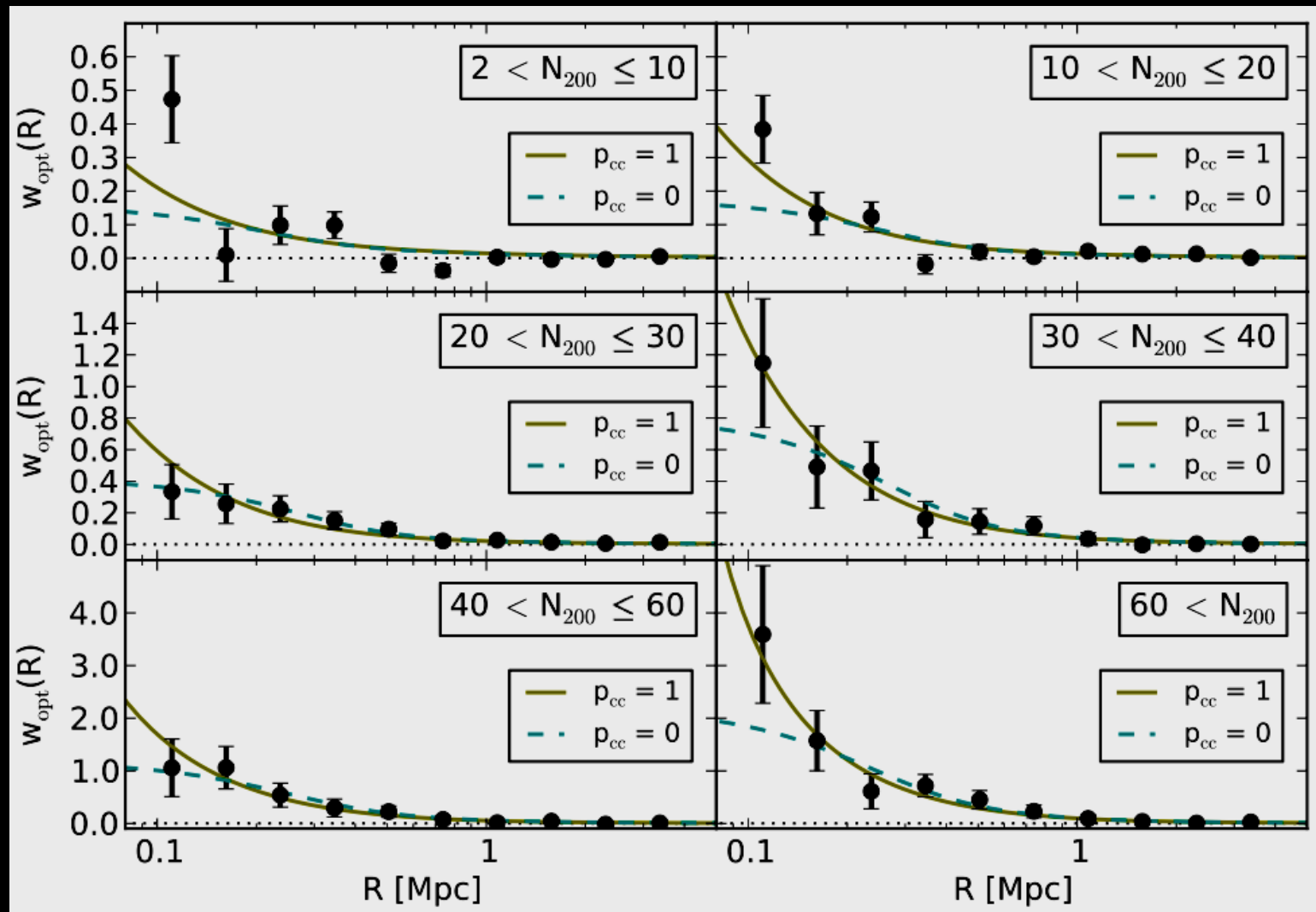
Composite - NFW Model:

Ford et al. 2014a

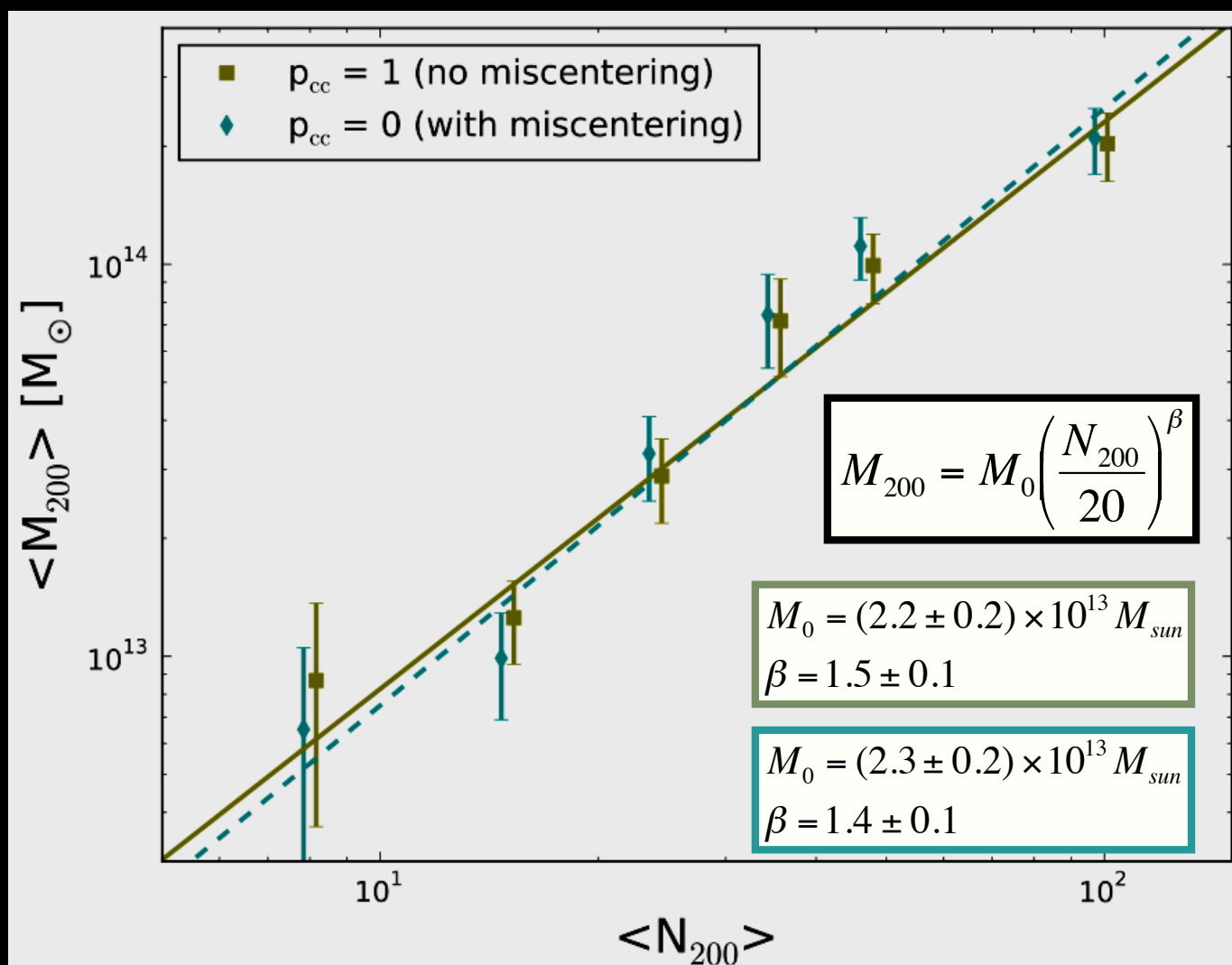
- ✓ Accounts for range of masses & redshifts
- ✓ Fits a power-law mass-richness scaling relation

Richness Bins

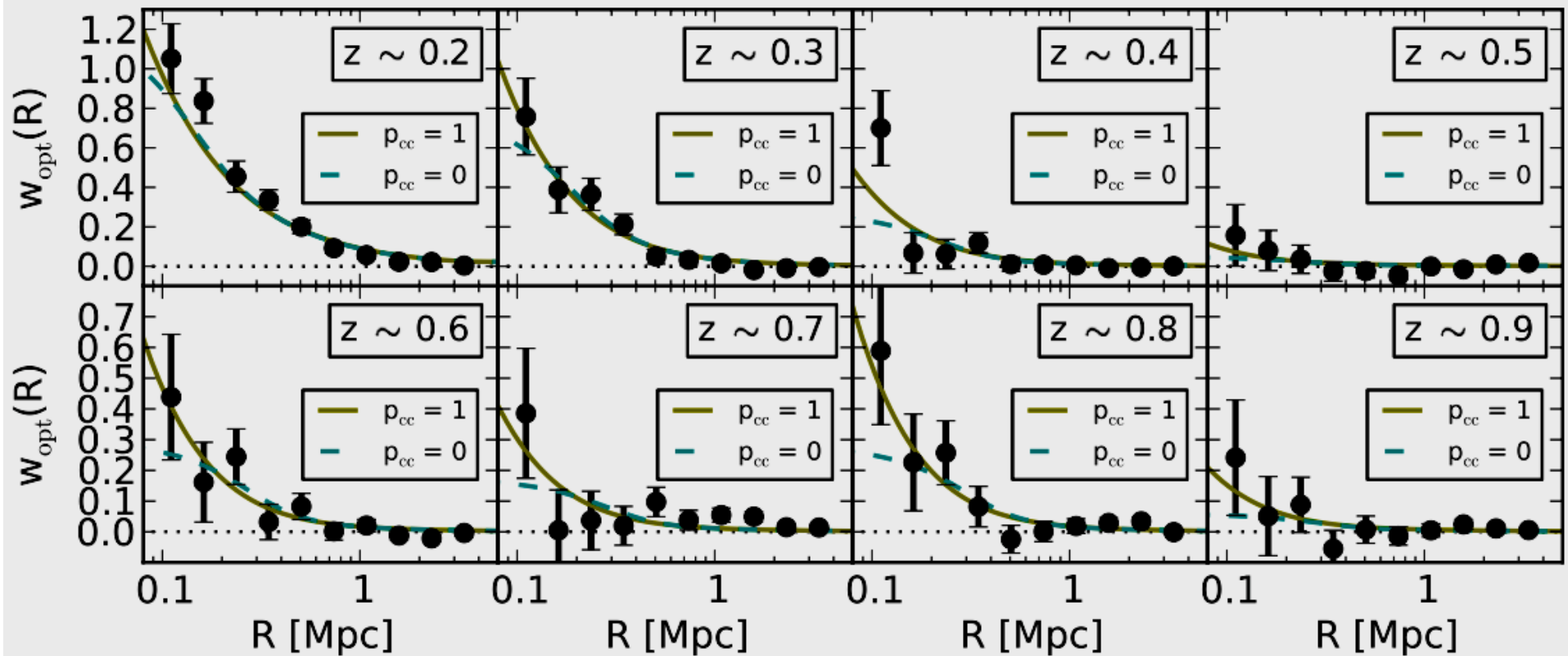
Strength of magnification signal scales with N_{200}



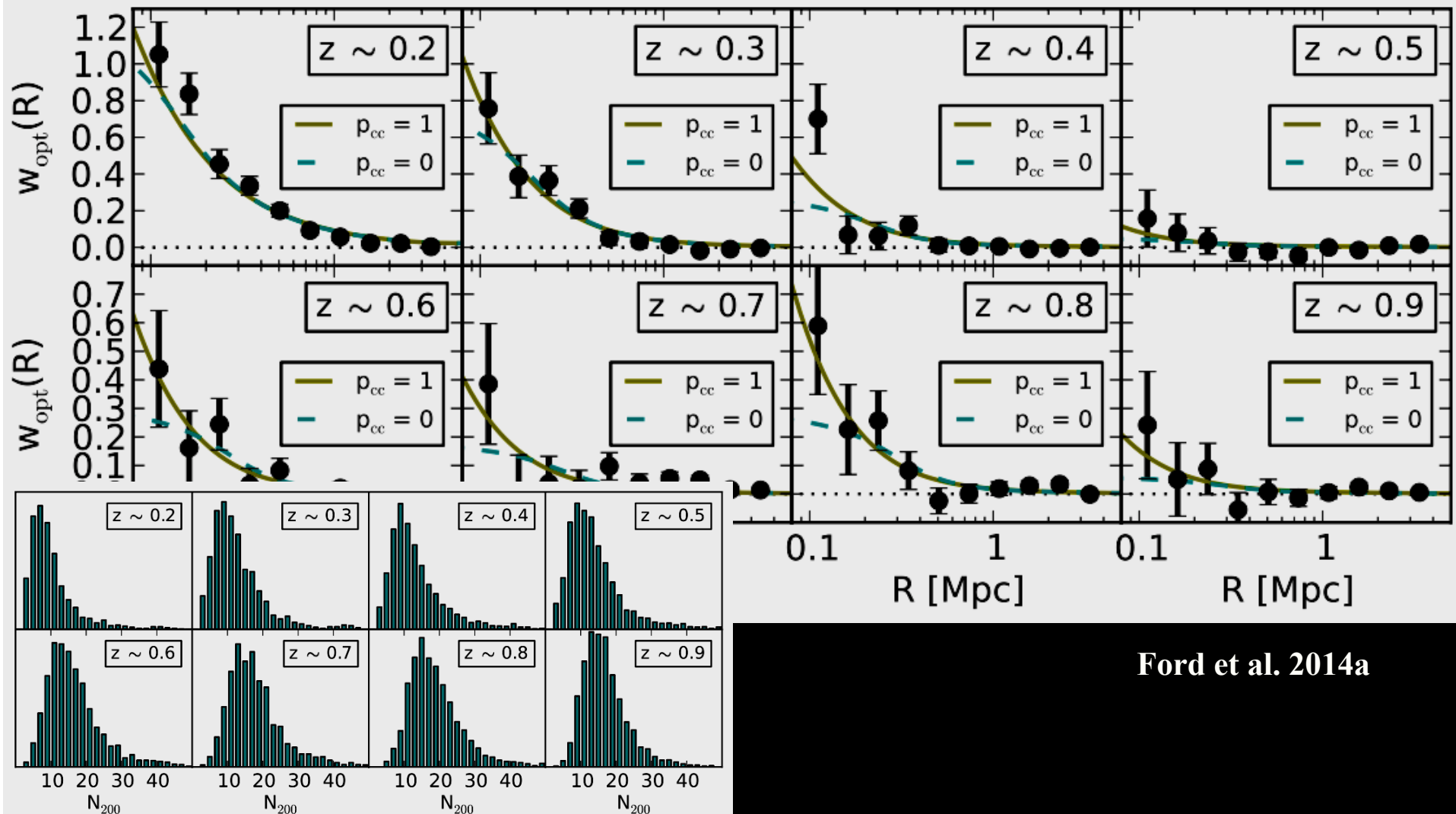
Mass - Richness Scaling



Redshift Bins

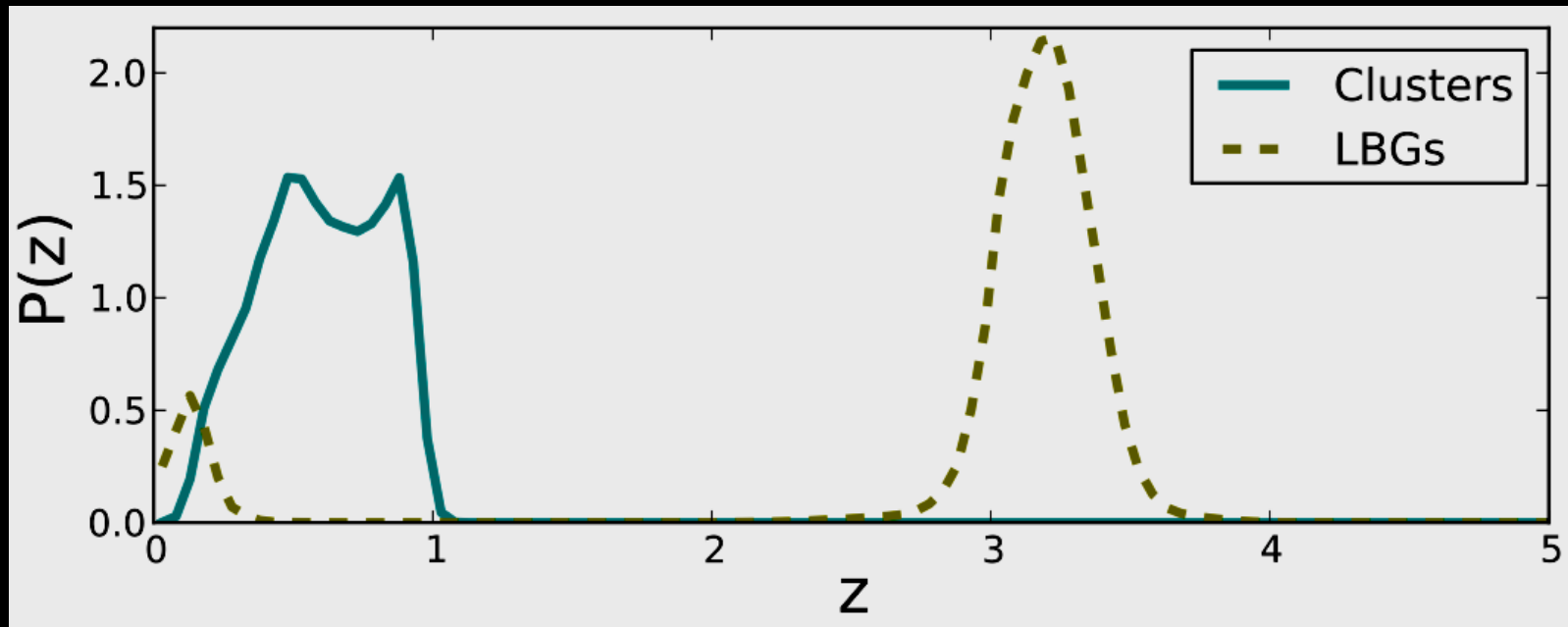


Redshift Bins



Ford et al. 2014a

Contamination



Ford et al. 2014a

- Intrinsic physical clustering between clusters and low-z galaxy contaminants?
- Physical cross-correlation signal should be order of magnitude stronger than lensing-induced correlations...

Components of Modeling

Main Halo: NFW profile.

2-halo term:

Account for neighboring halos.

Cluster Miscentering:

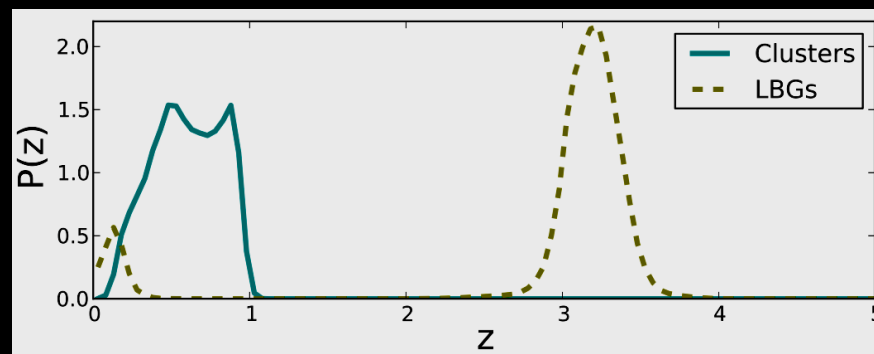
the center chosen by any cluster-finder is probably not the “real” center.

Composite-Halo Fit:

Account for the wide range of cluster M_{200} and z instead of fitting a single average mass, redshift.

Source Contamination:

low- z contamination leads to non-lensing correlations due to lens-source physical clustering.



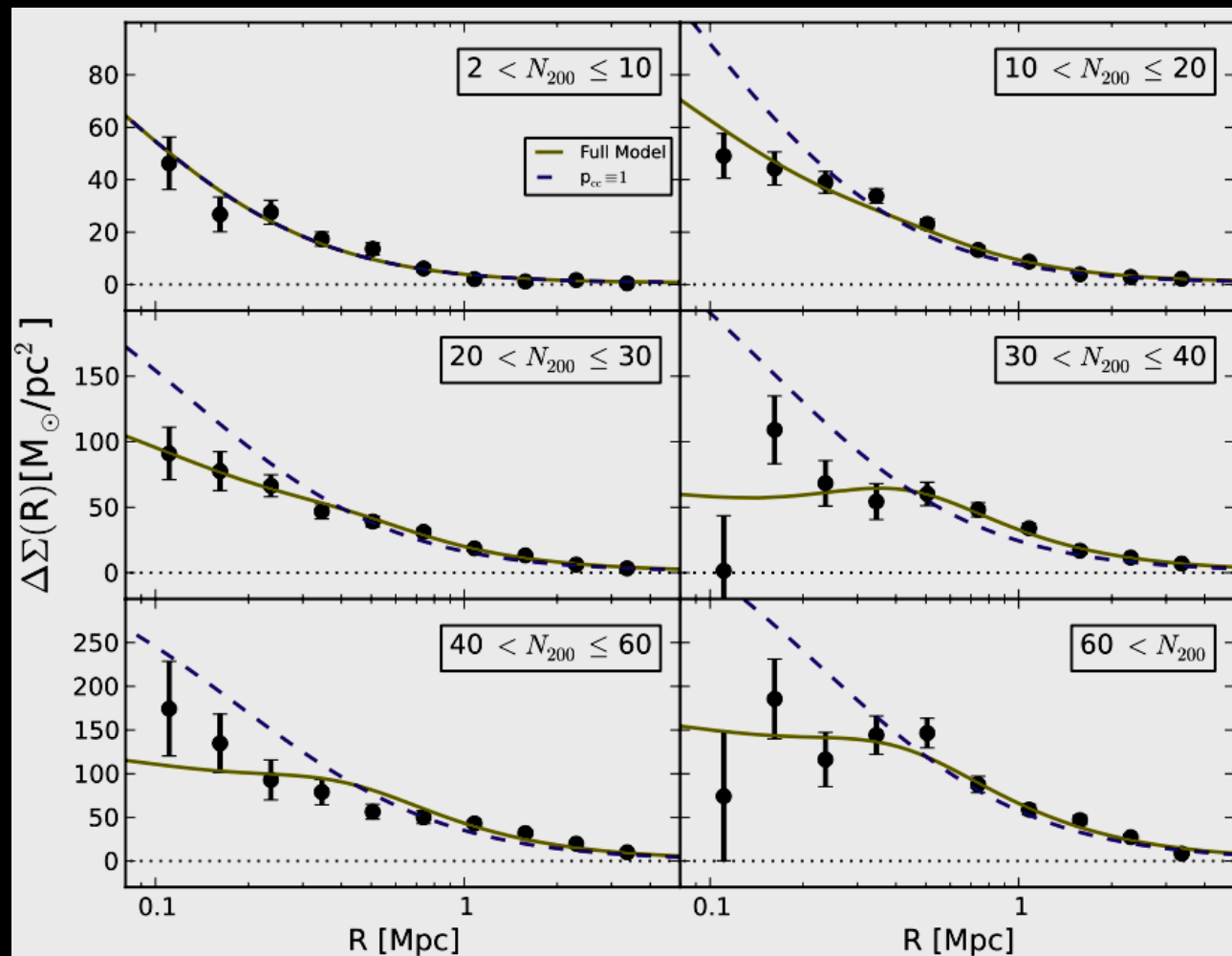
Ford et al. 2014a

**Include intrinsic clustering term
where populations overlap:**

$$w_{opt}(R, z) = f_{lens}(z) \cdot w_{lens}(R, z) + f_{clustering}(z) \cdot w_{clustering}(R, z)$$

Cluster Weak Lensing in CFHTLenS

N_{200} -binned Shear

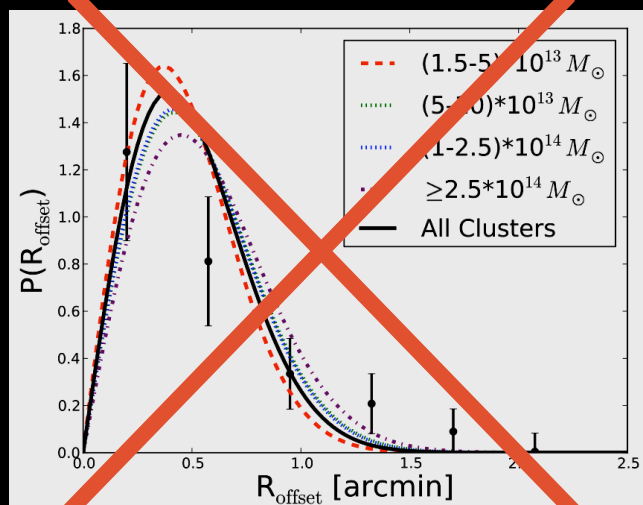


Perfectly
centered
model

Full model
including
miscentering

Ford et al. 2014b

Miscentering

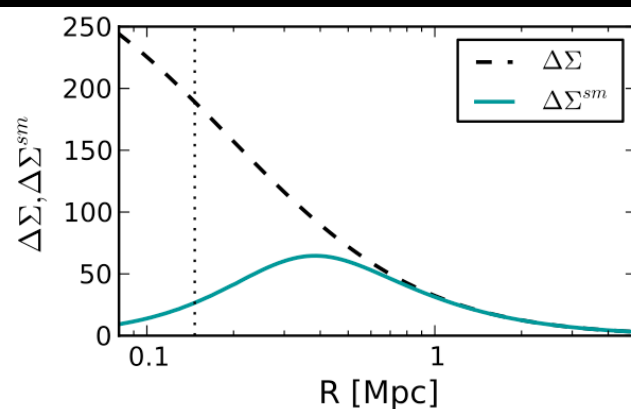
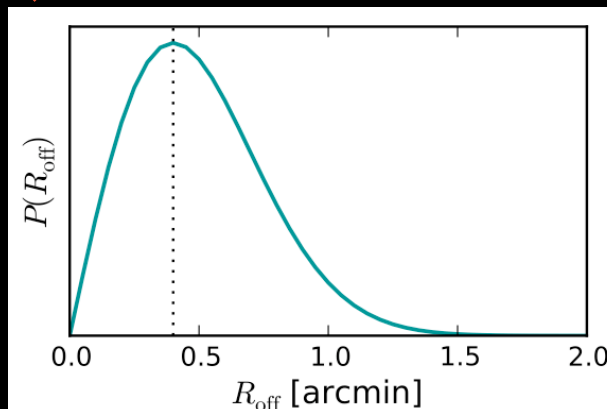


Ford et al. 2014a

Shear is much more sensitive to miscentering
⇒ now we **FIT** for the offsets

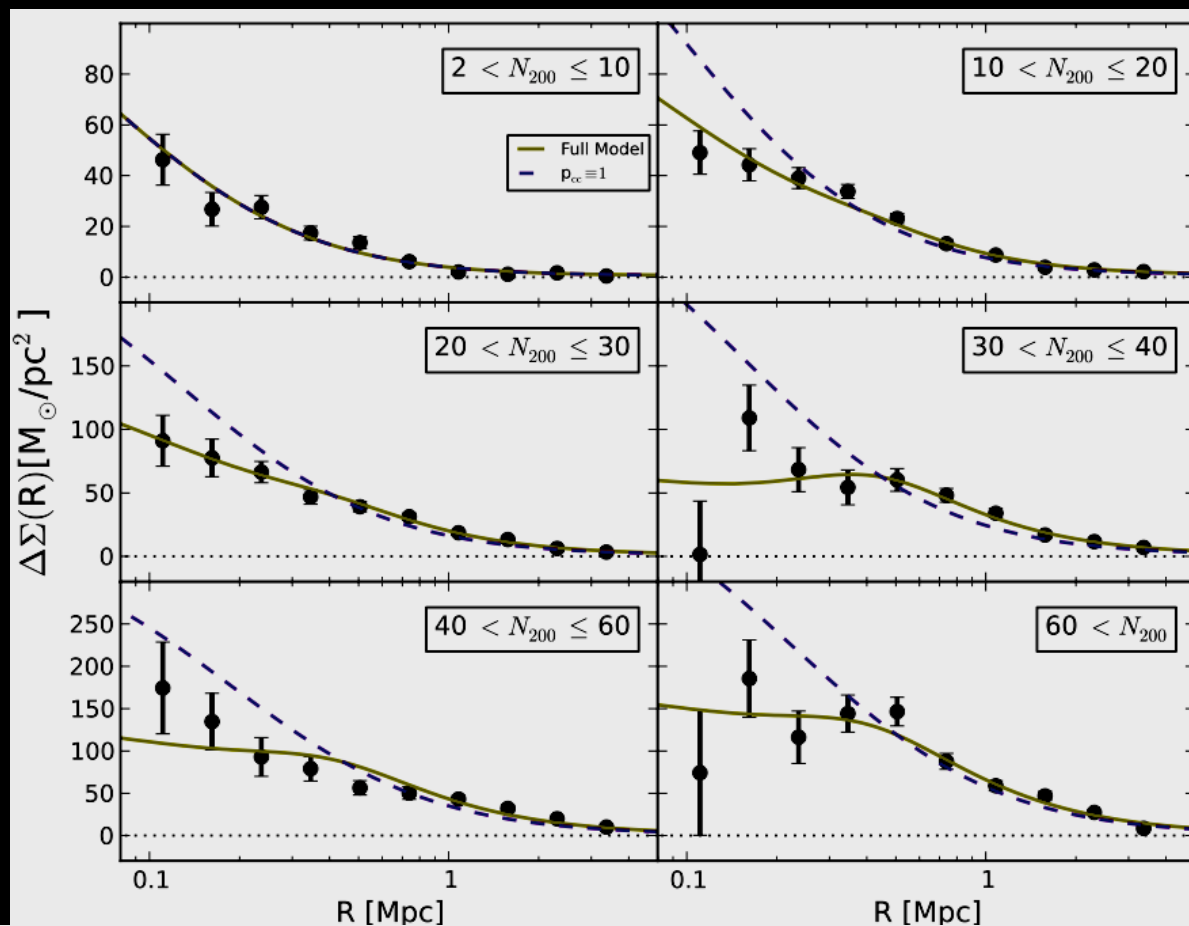
- σ_{off} = width of the Gaussian offset distribution
- p_{cc} = fraction of clusters that have been correctly centered

$$P(R_{\text{off}}) = \frac{R_{\text{off}}}{\sigma_{\text{off}}^2} e^{-\frac{1}{2} \left(\frac{R_{\text{off}}}{\sigma_{\text{off}}} \right)^2}$$



Ford et al. 2014b

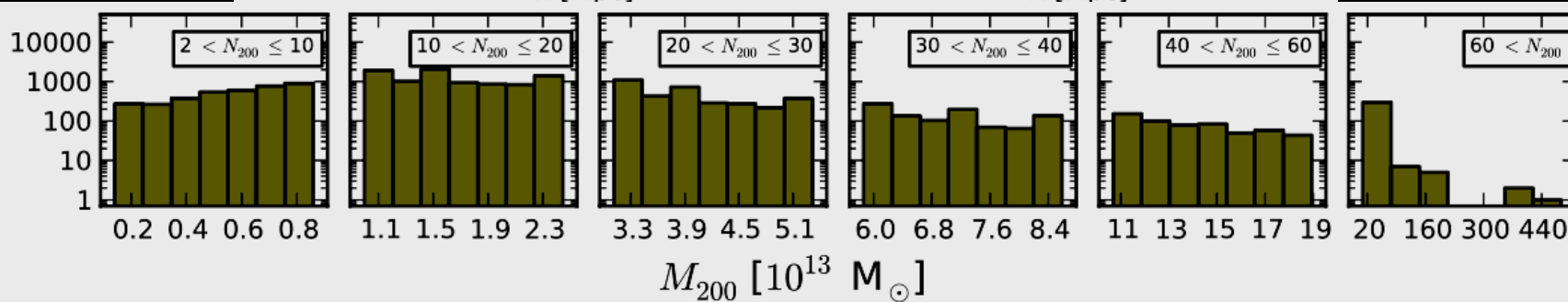
N_{200} -binned Shear



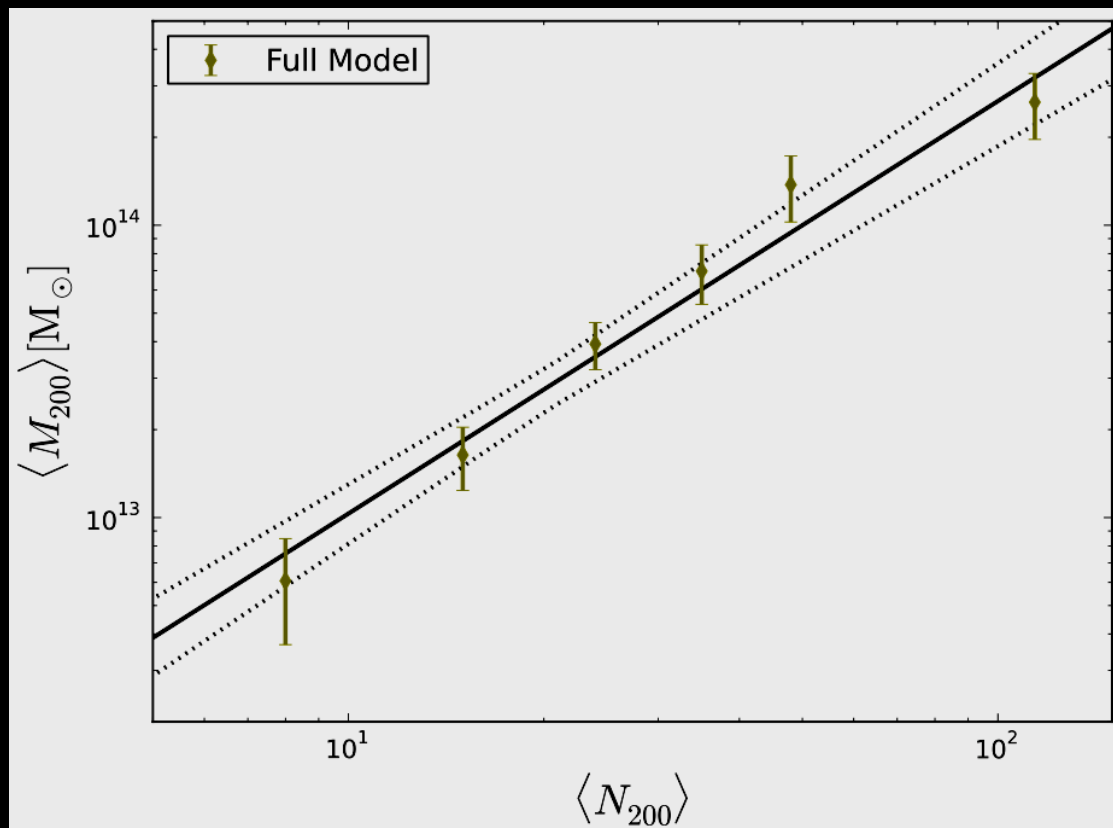
Perfectly
centered
model

Full model
including
miscentering

Ford et al. 2014b



Mass-Richness Scaling



Ford et al. 2014b

$$M_{200} = M_0 \left(\frac{N_{200}}{20} \right)^\beta$$

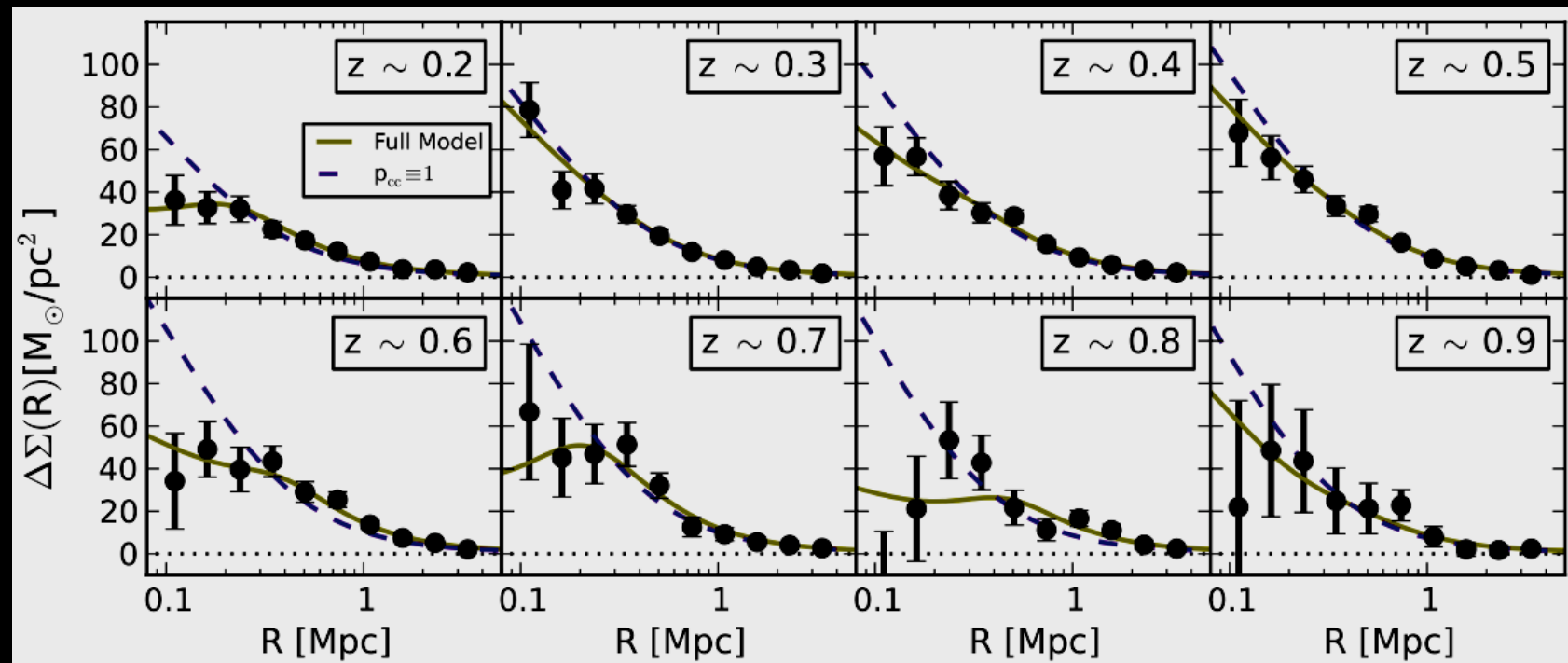
Shear:

$$M_0 = (3.1 \pm 0.5) \times 10^{13} M_{sun}$$
$$\beta = 1.5 \pm 0.2$$

vs. Magnification:

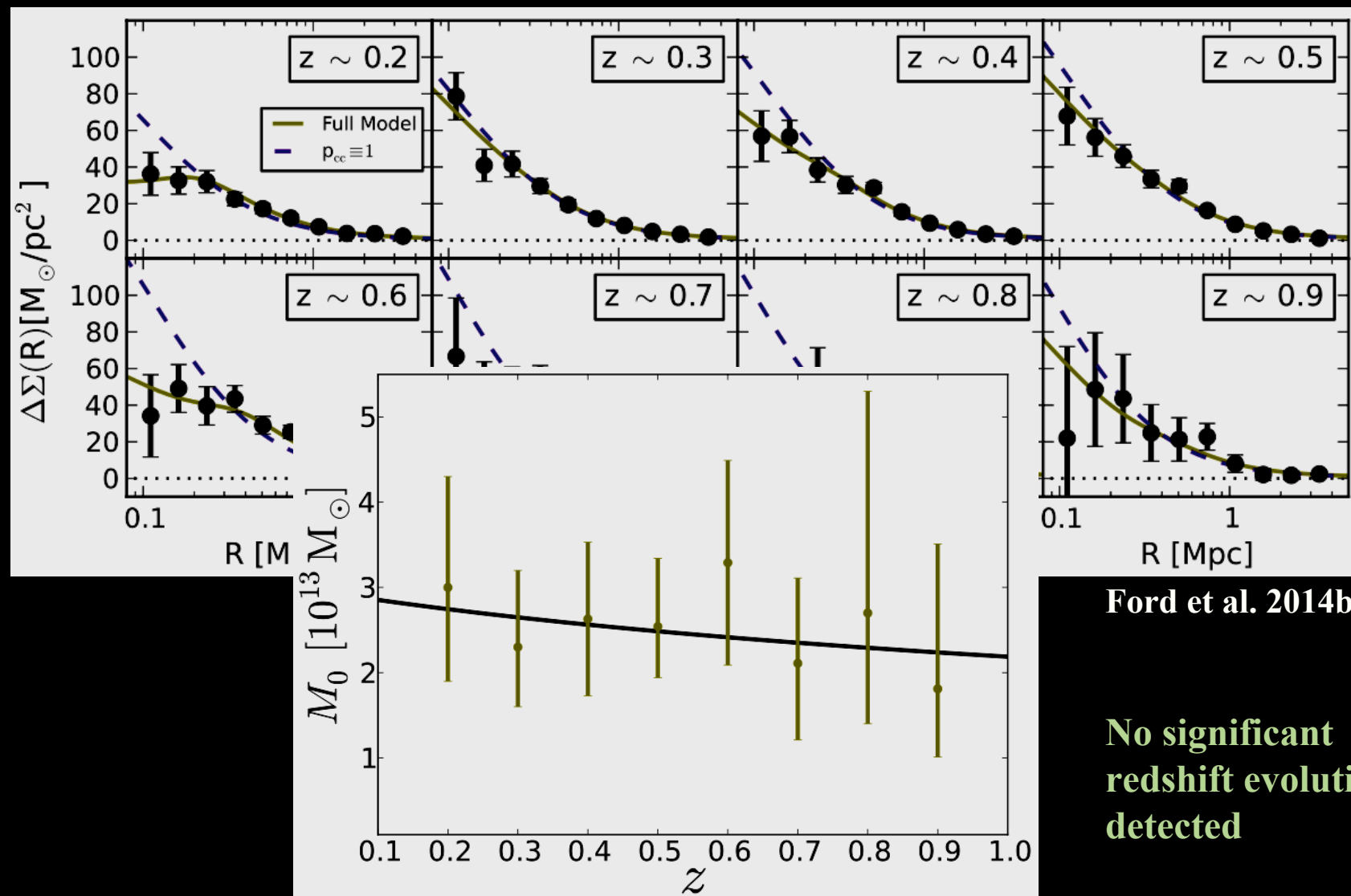
$$M_0 = (2.2 \pm 0.2) \times 10^{13} M_{sun}$$
$$\beta = 1.5 \pm 0.1$$

Redshift Evolution?

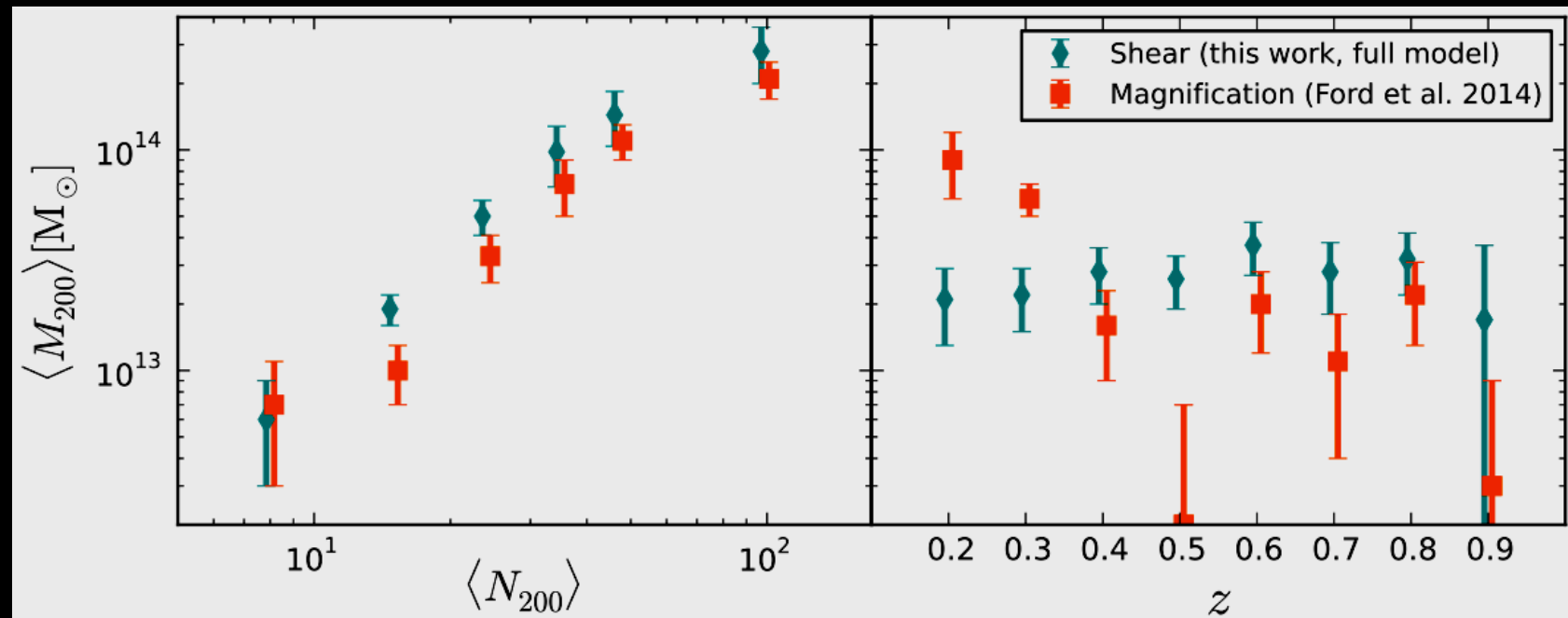


Ford et al. 2014b

Redshift Evolution?



Shear vs. Magnification



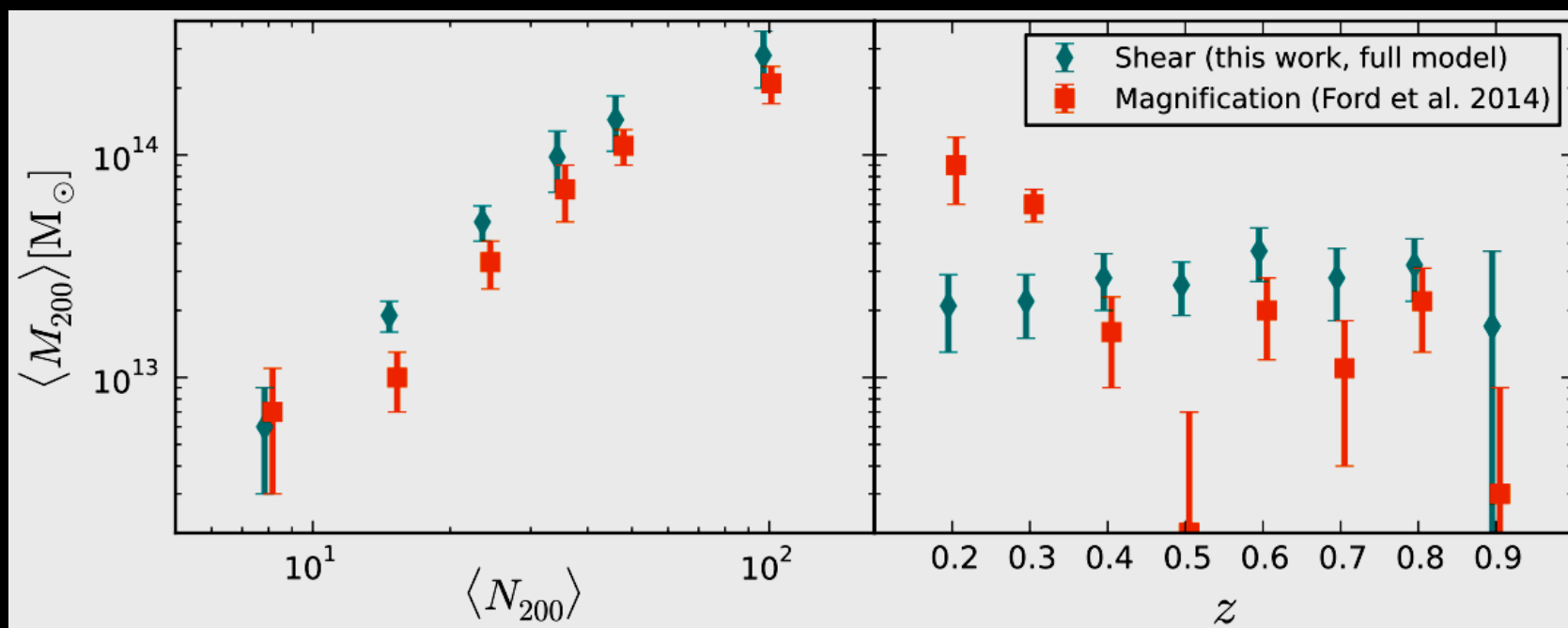
Ford et al. 2014b

Richness Binned: Magnification
masses consistent with shear but
biased low.

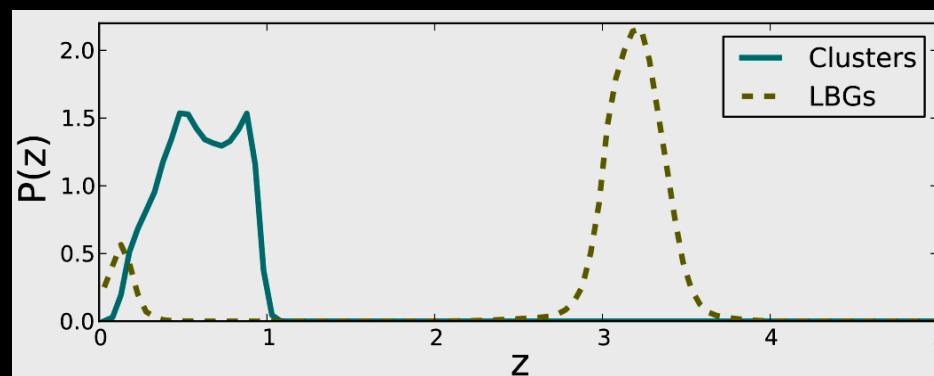
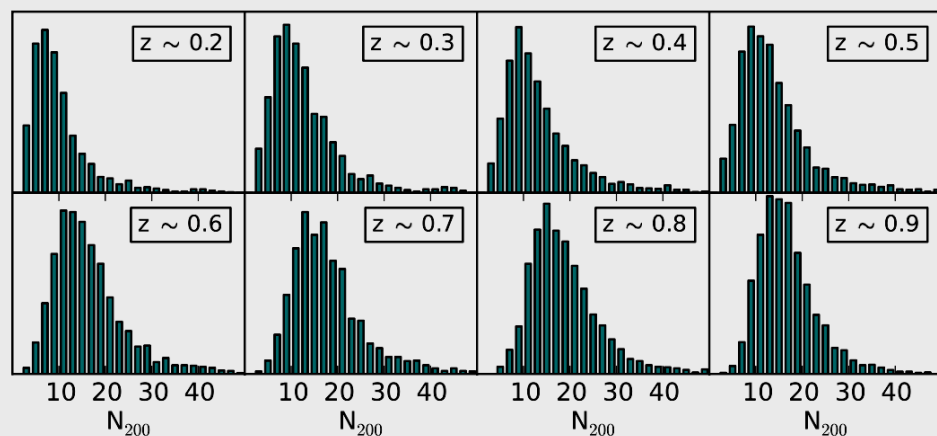
Mass-Richness Scaling: Slope is
consistent, normalization 2σ off

Redshift Binned: Shear masses
are steady, magnification
masses fluctuate...

Shear vs. Magnification



Ford et al. 2014b



Ford et al. 2014a

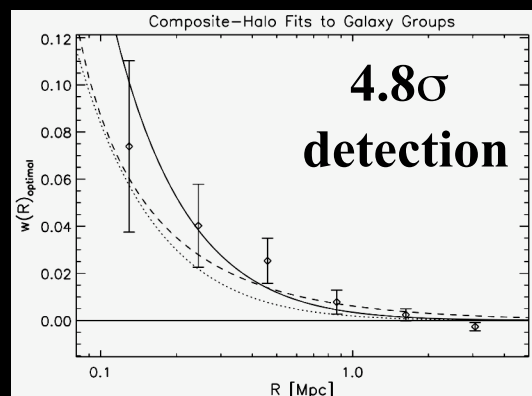
Future Work

- **Shear-magnification discrepancies:** magnification comes from free in any shear survey... how to optimally use observational data?
- **3D-MF Cluster follow-up:** miscentering analysis, comparing alternative centers, L_X -M scaling, SZ-lensing cross-correlations, detecting filaments, and more...
- **Open Source Project:** cleaning up code for magnification analysis and miscentering modeling (github repository coming soon)
- **Can we detect dust?** Dust extinction is λ -dependant, so in principle separable from the magnification signal (e.g. Hildebrandt et al. 2013)

Summary

COSMOS Magnification

Ford et al. 2012 - arXiv: 1111.3698

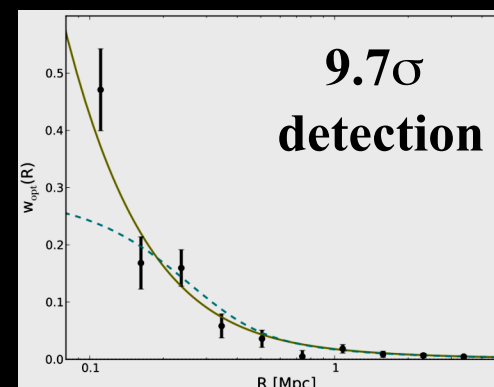


1st magnification detection
and shear comparison for
galaxy clusters

Full redshift and richness
binned analysis of cluster
magnification and shear

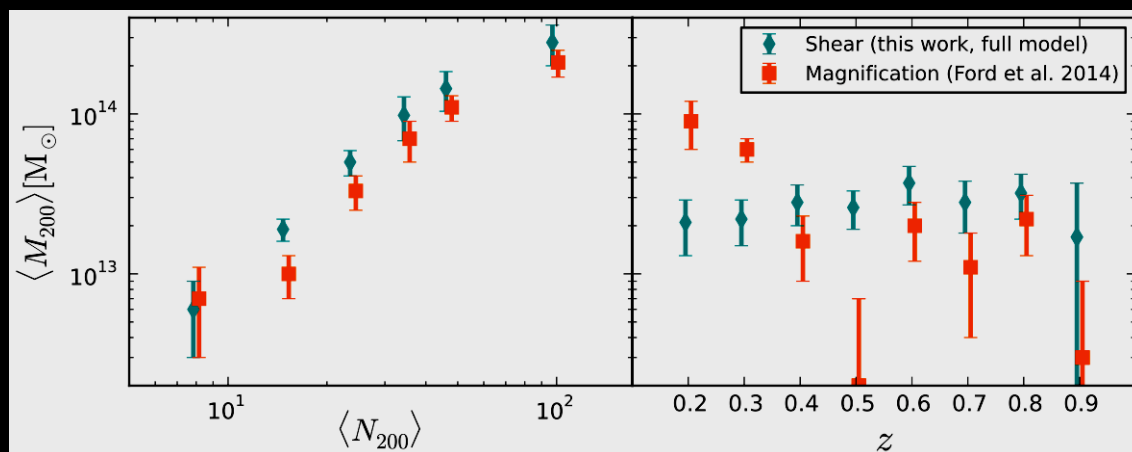
CFHTLenS Magnification

Ford et al. 2014a - arXiv: 1310.2295



CFHTLenS: Shear vs. Magnification

Ford et al. 2014b - arXiv: 1409.3571



PUBLICLY AVAILABLE
CLUSTER CATALOG:
cfhtlens.org

Thanks for Listening!